

# ECON 203 CHEAT SHEET

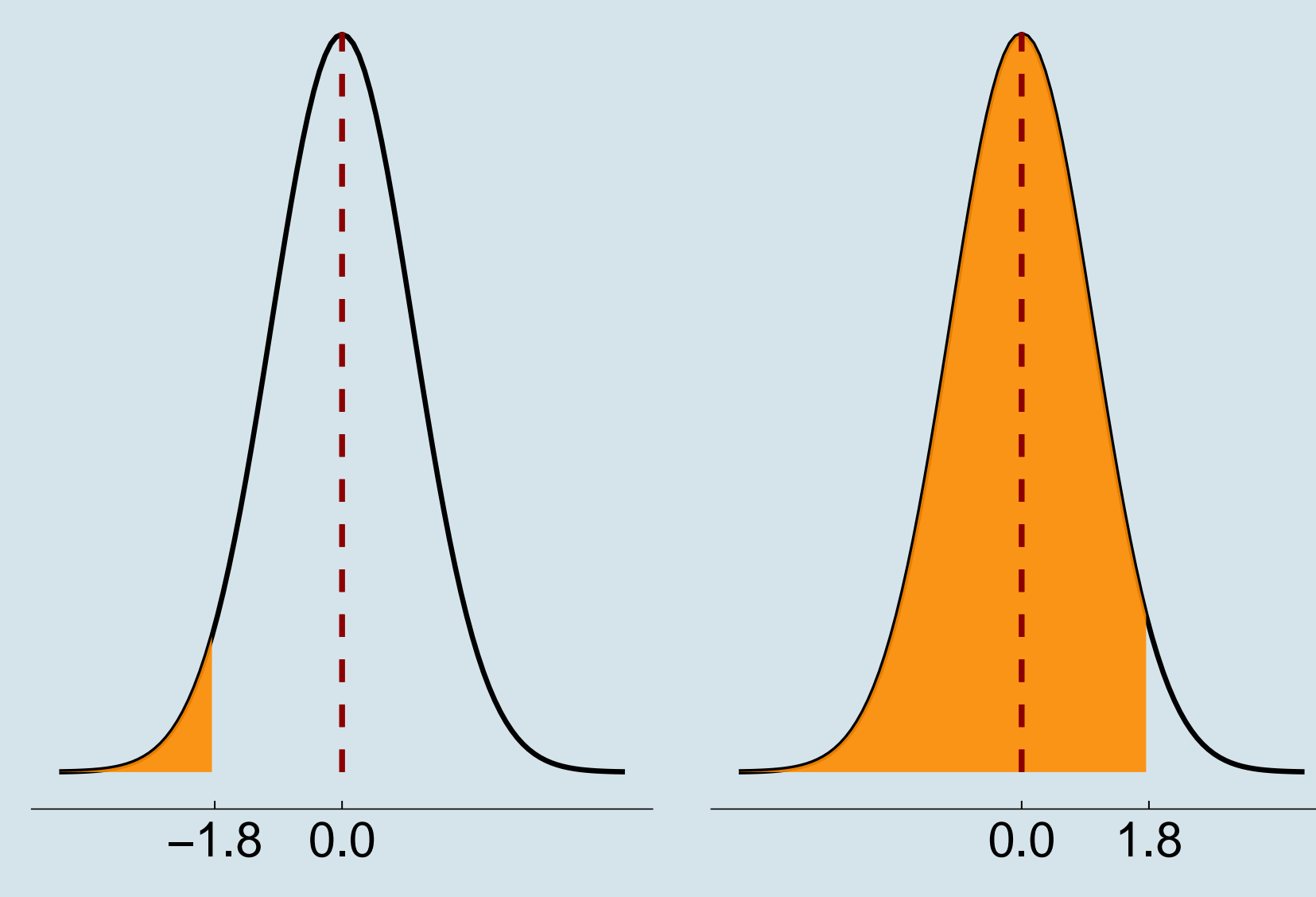
MARCELINO GUERRA  
UNIVERSITY OF ILLINOIS AT URBANA-CHAMPAIGN

## STANDARD NORMAL

- The center is zero
- Symmetric
- bell-shaped
- NORMSDIST for pvalues

NORMSDIST returns the **left-tail probability** of the standard normal distribution based on your test statistic.

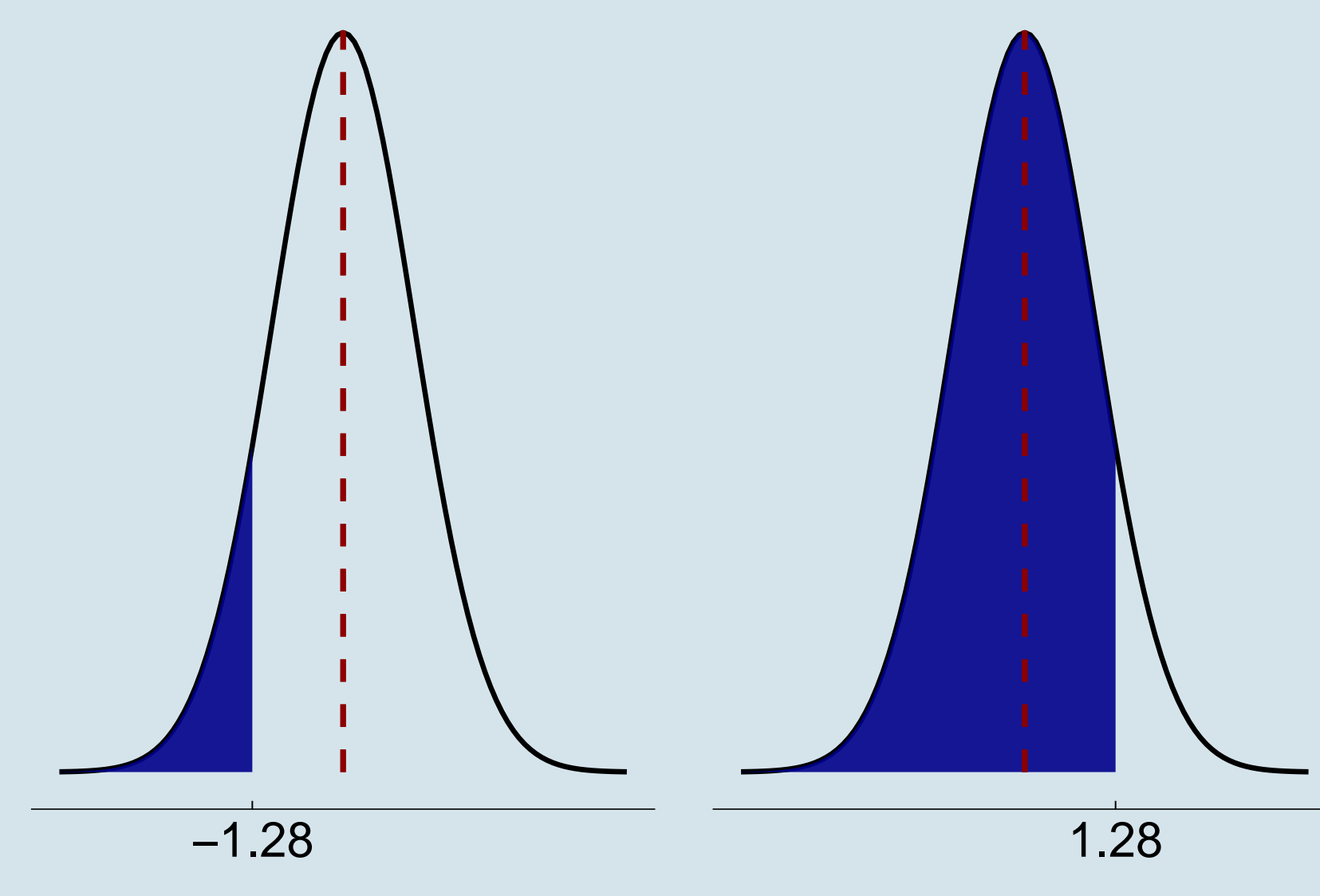
NORMSDIST(-1.8) = 0.0359    NORMSDIST(1.8) = 0.964



- NORMSINV for critical values

NORMSINV returns the critical value of the standard normal distribution based on the **left-tail probability** you input.

NORMSINV(.1) = -1.28    NORMSINV(.9) = 1.28



## HYPOTHESIS TESTING

### Using NORMSDIST and NORMSINV

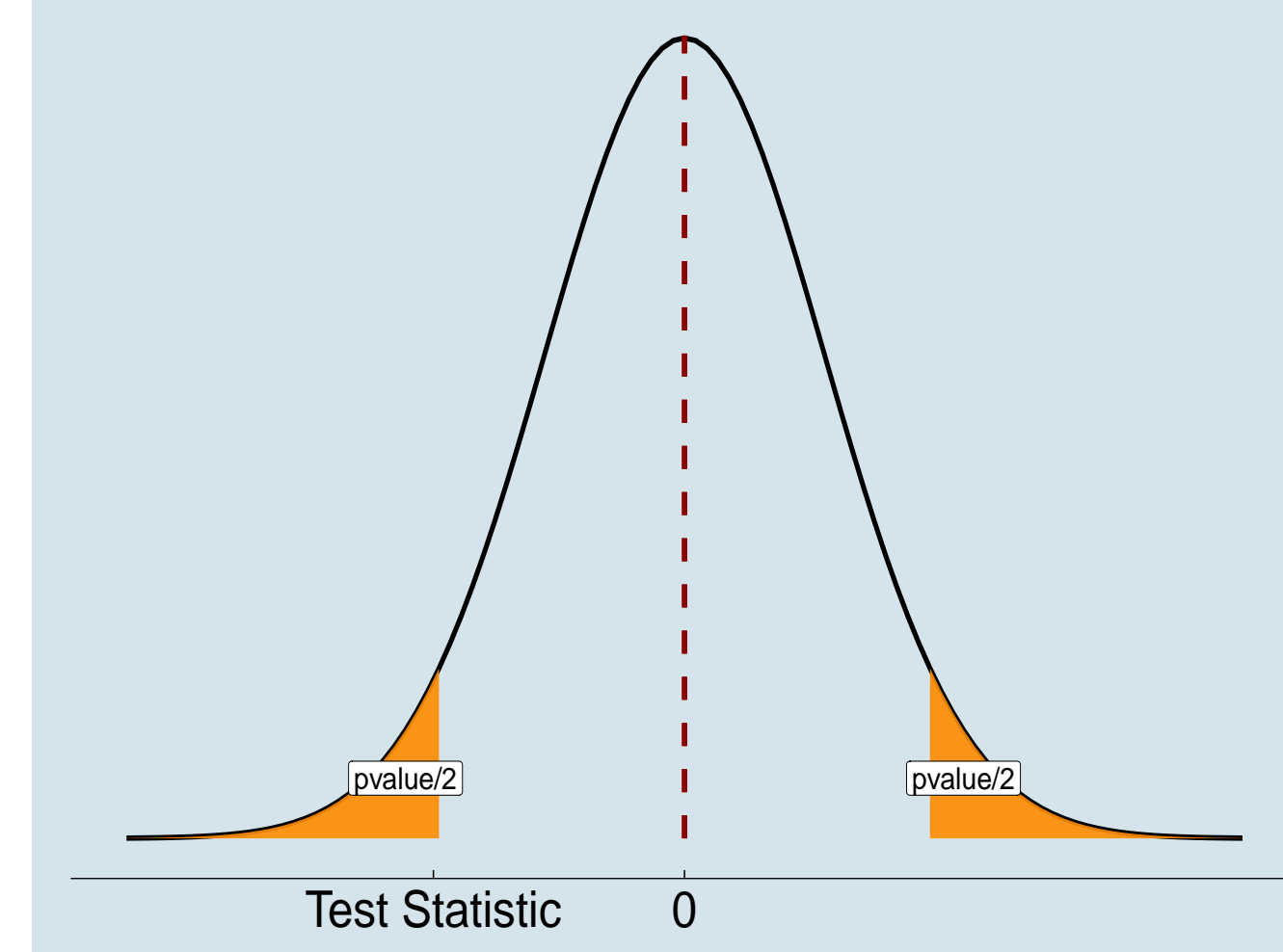
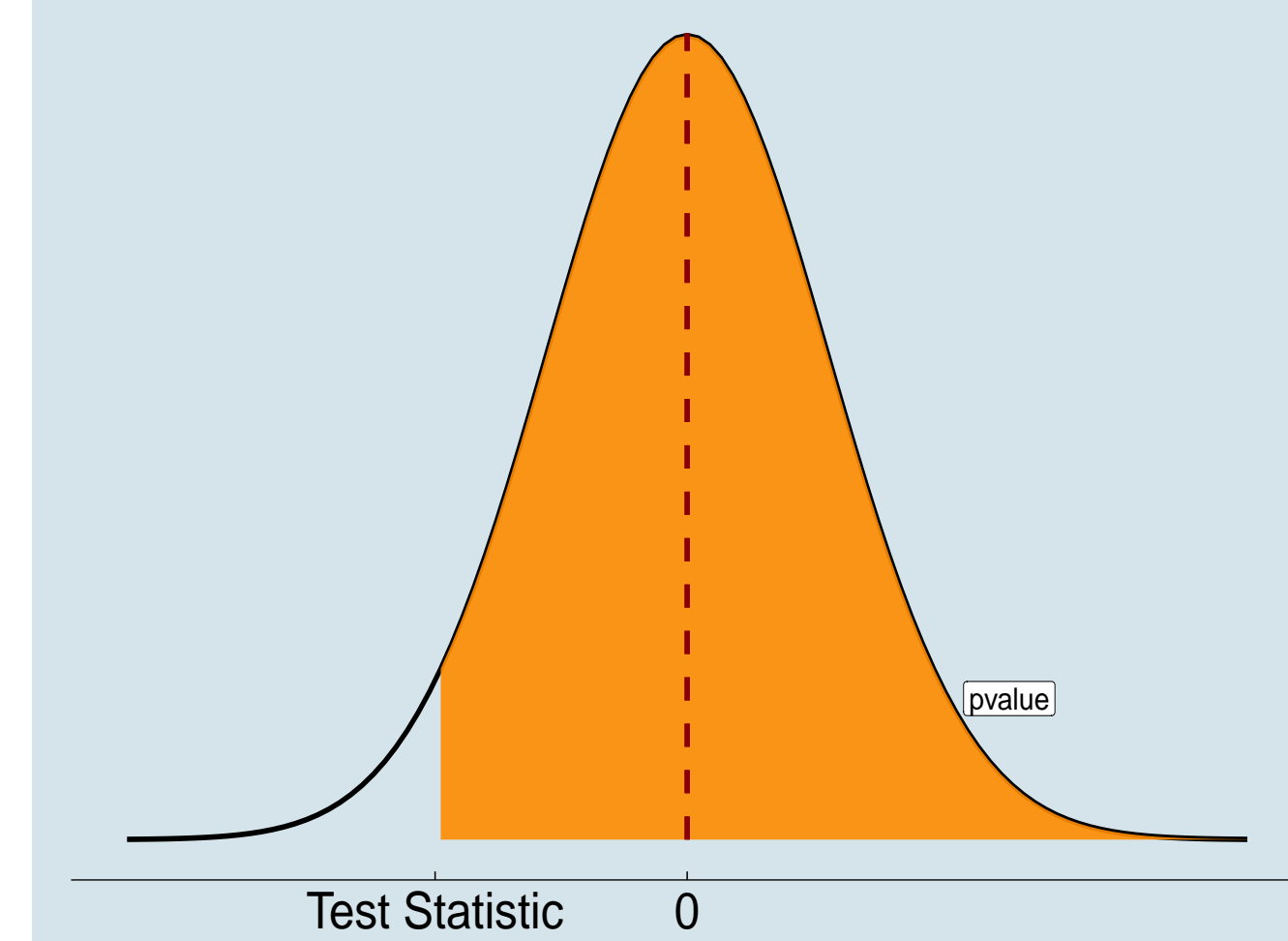
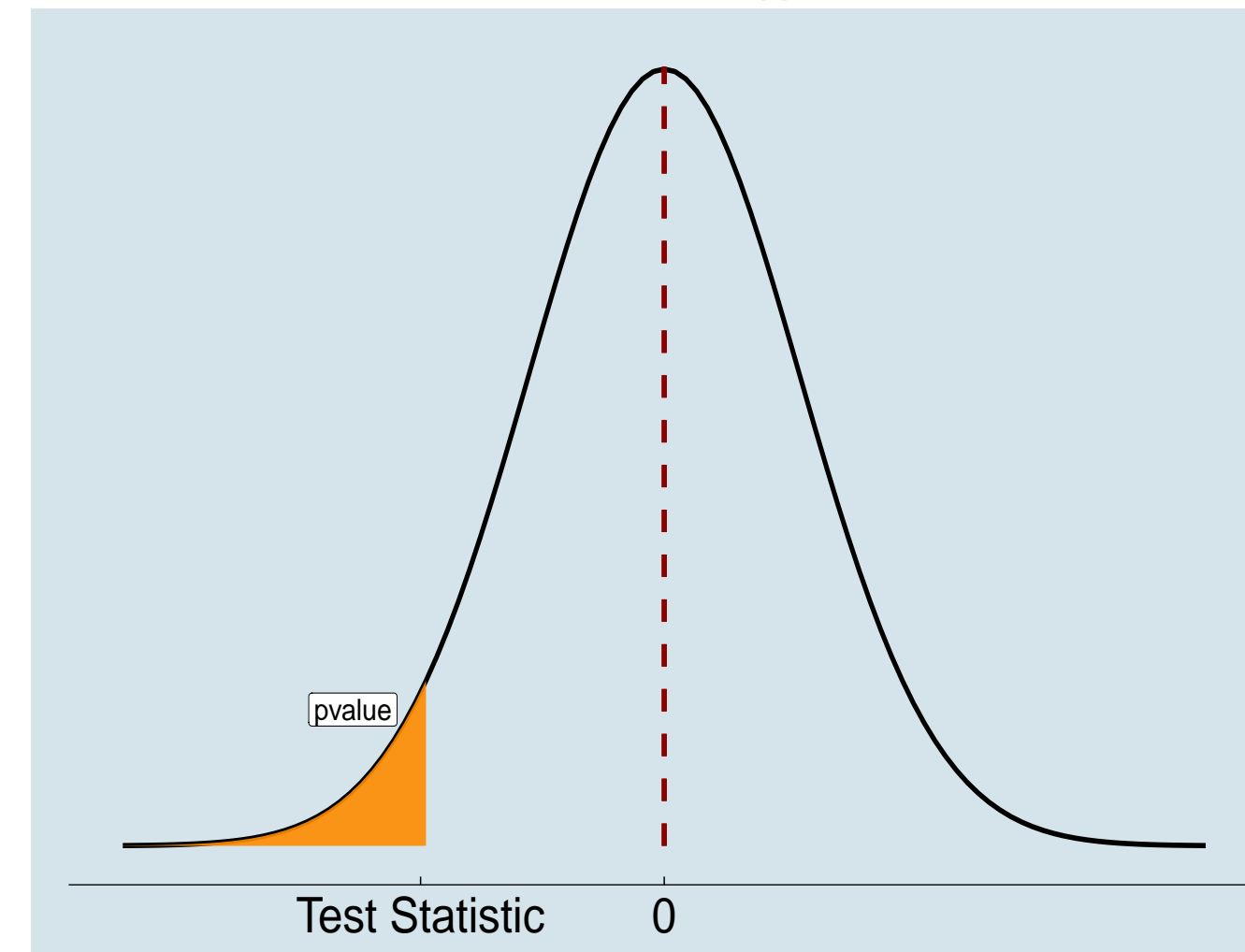
#### Alternative Hypothesis

$$H_a : \mu < \dots$$

$$H_a : \mu > \dots$$

$$H_a : \mu \neq \dots$$

#### Where is the pvalue?



#### How to get the pvalue?

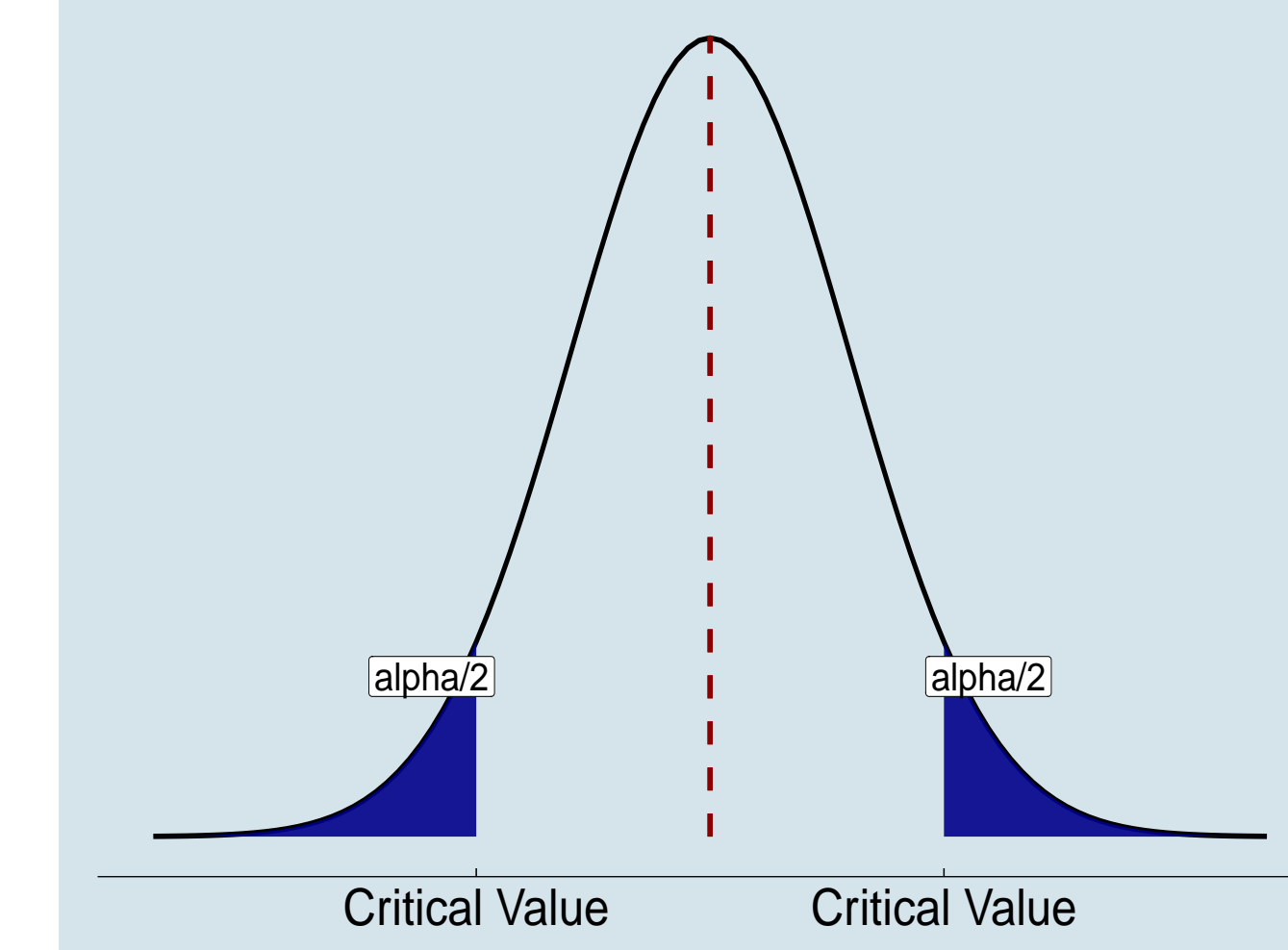
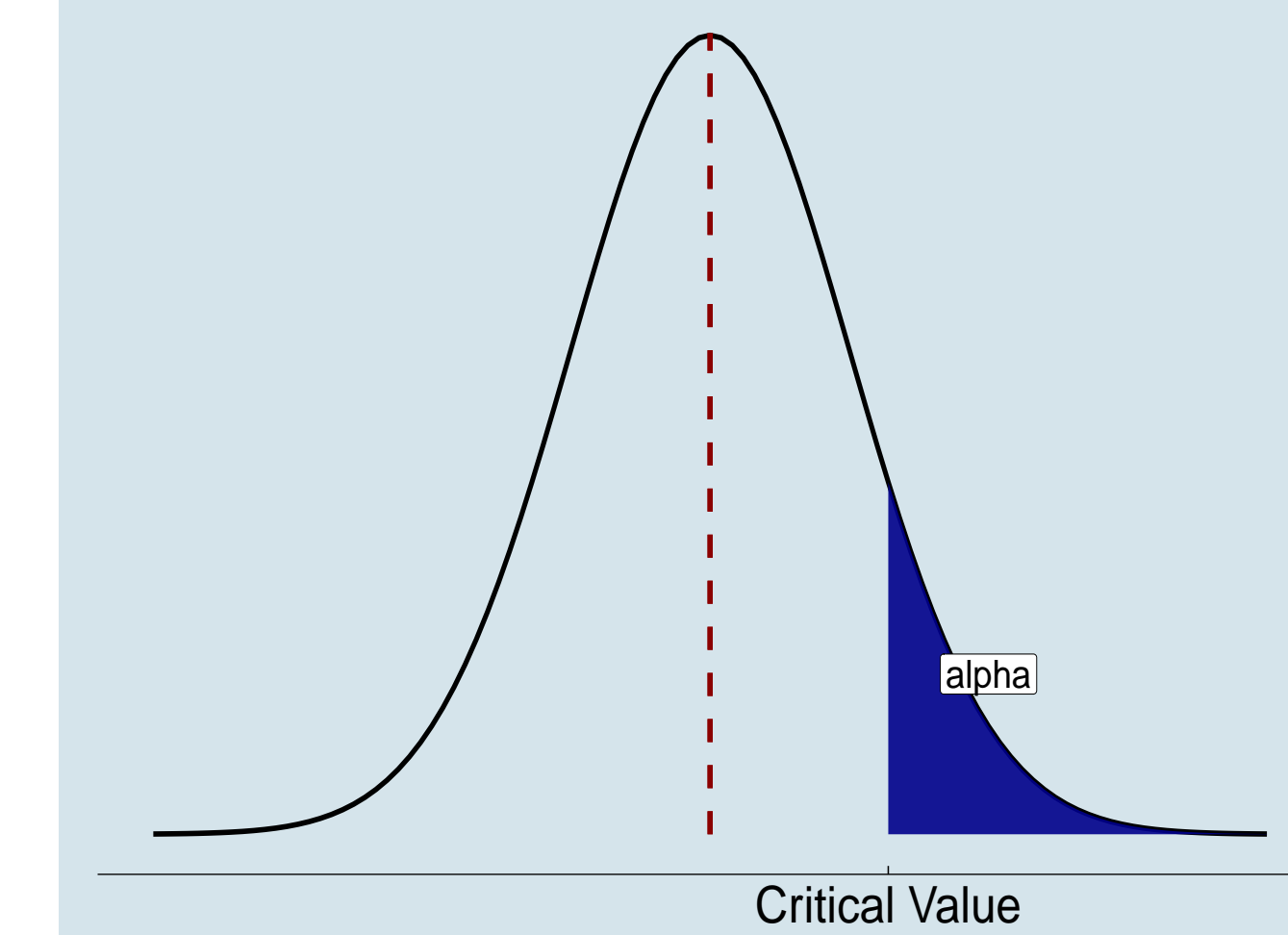
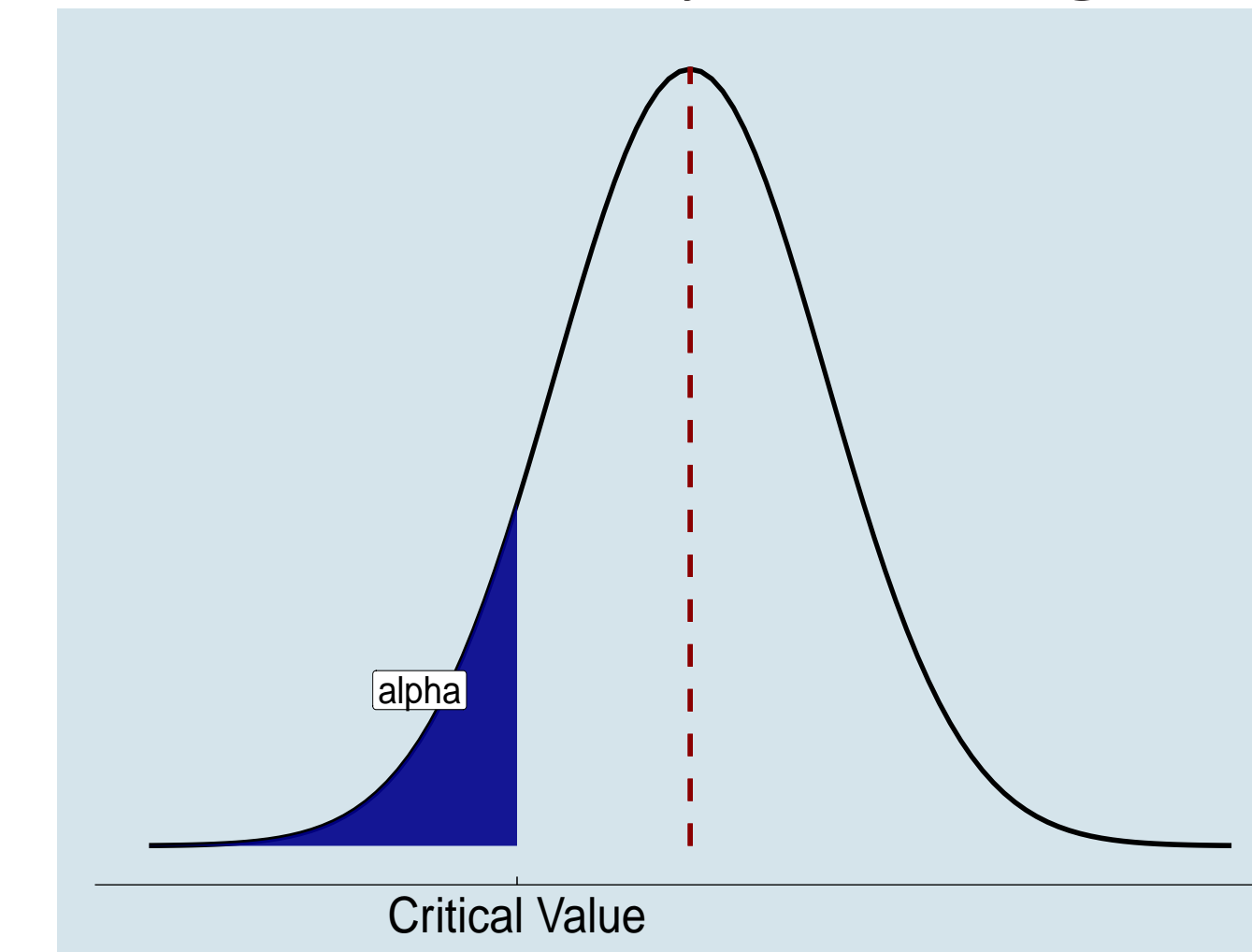
You want the area to the **left** of your test statistic. Therefore, use NORMSDIST(z).

You want the area to the **right** of your test statistic. Therefore, use 1-NORMSDIST(z).

If the test statistic is **negative**, use 2\*NORMSDIST(z).

If the test statistic is **positive**, use 2\*(1-NORMSDIST(z))

#### Where is the rejection region?



#### How to get $Z_c$ ?

Critical Value = NORMSINV( $\alpha$ )

Critical Value = NORMSINV(1- $\alpha$ )

Negative Critical Value (left) = NORMSINV( $\frac{\alpha}{2}$ )

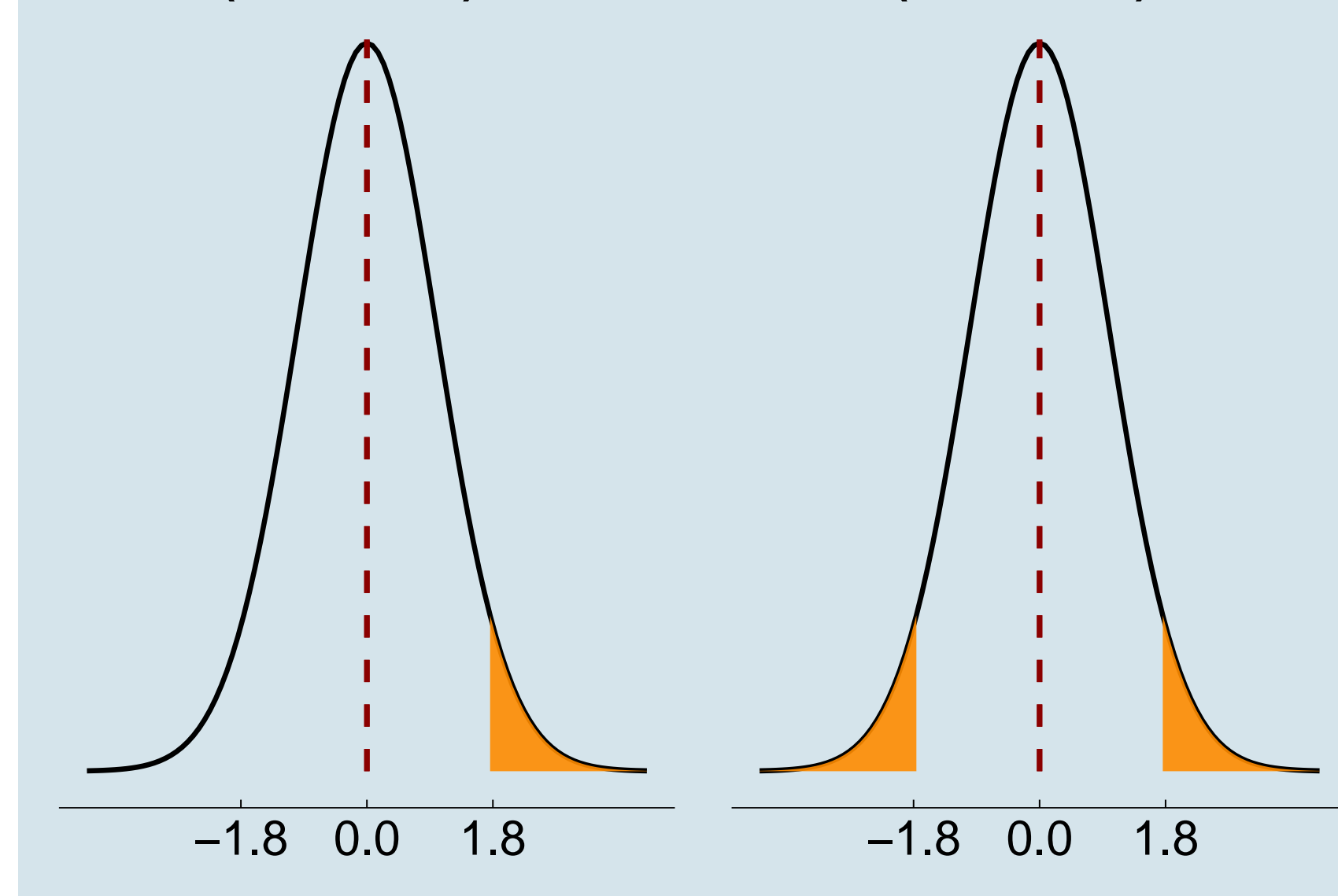
Positive Critical Value (right) = NORMSINV(1 -  $\frac{\alpha}{2}$ )

## t DISTRIBUTION

- The center is zero
- Symmetric
- bell-shaped
- TDIST for pvalues

TDIST returns either the **right-tail** or the **two-tail** probability of the t-distribution based on the **positive test statistic**, degrees of freedom, and number of tails of test you input. **Again: the function does not accept negative values.** So use  $|t|$  and explore the distribution's symmetry.

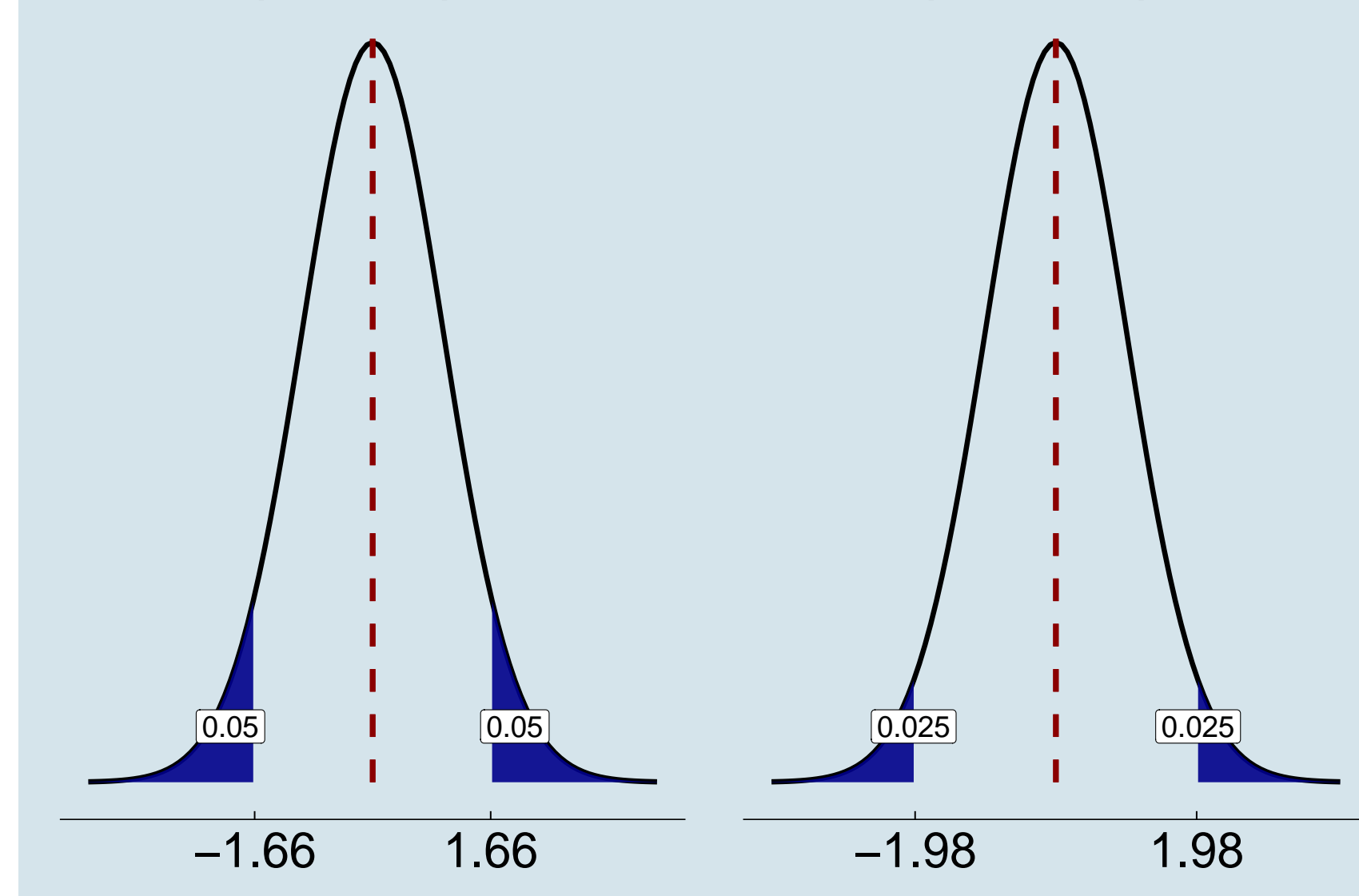
$$\text{TDIST}(1.8, 112, 1) = 0.037 \quad \text{TDIST}(1.8, 112, 2) = 0.074$$



- TINV for critical values

TINV returns the positive critical value of the t-distribution based on the **two-tail probability** you input. **Again: the function, by default, divides the probability you input.** So multiply your  $\alpha$  by two to get a one-tail  $t_c$ .

$$\text{TINV}(0.1, 112) = 1.66 \quad \text{TINV}(0.05, 112) = 1.98$$



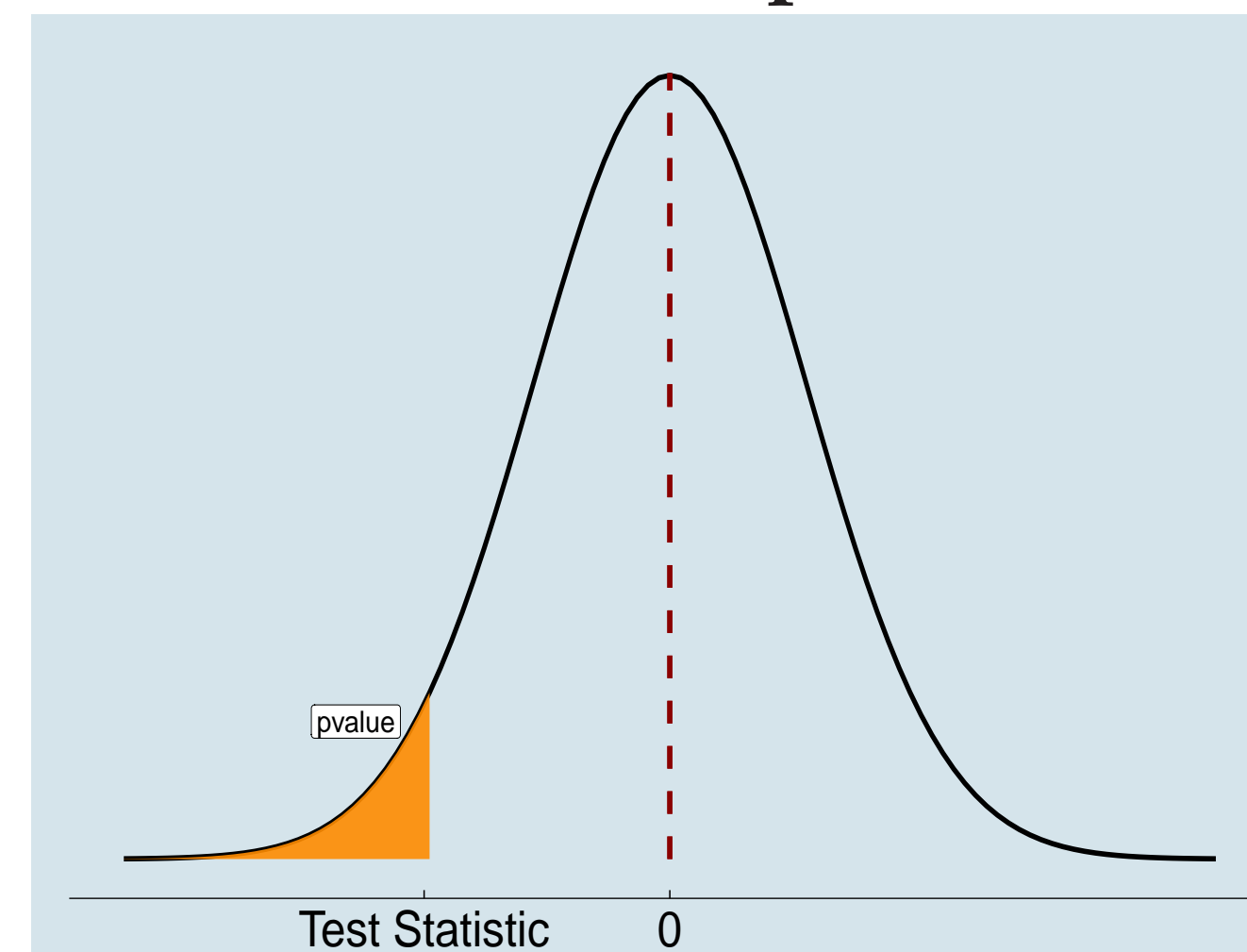
## HYPOTHESIS TESTING

### Using TDIST and TINV

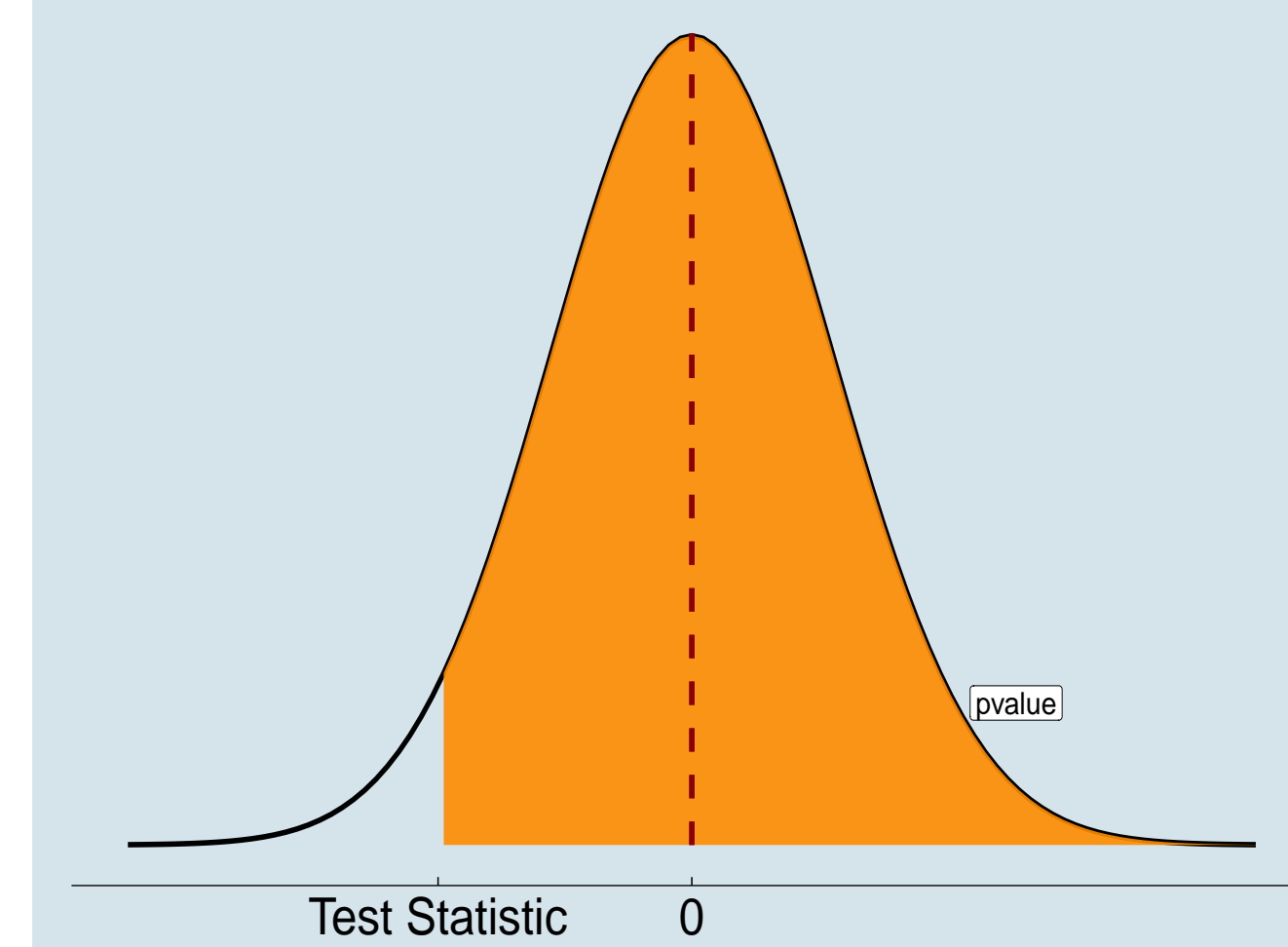
#### Alternative Hypothesis

$$H_a : \mu < \dots$$

#### Where is the pvalue?



$$H_a : \mu > \dots$$



$$H_a : \mu \neq \dots$$



#### How to get the pvalue?

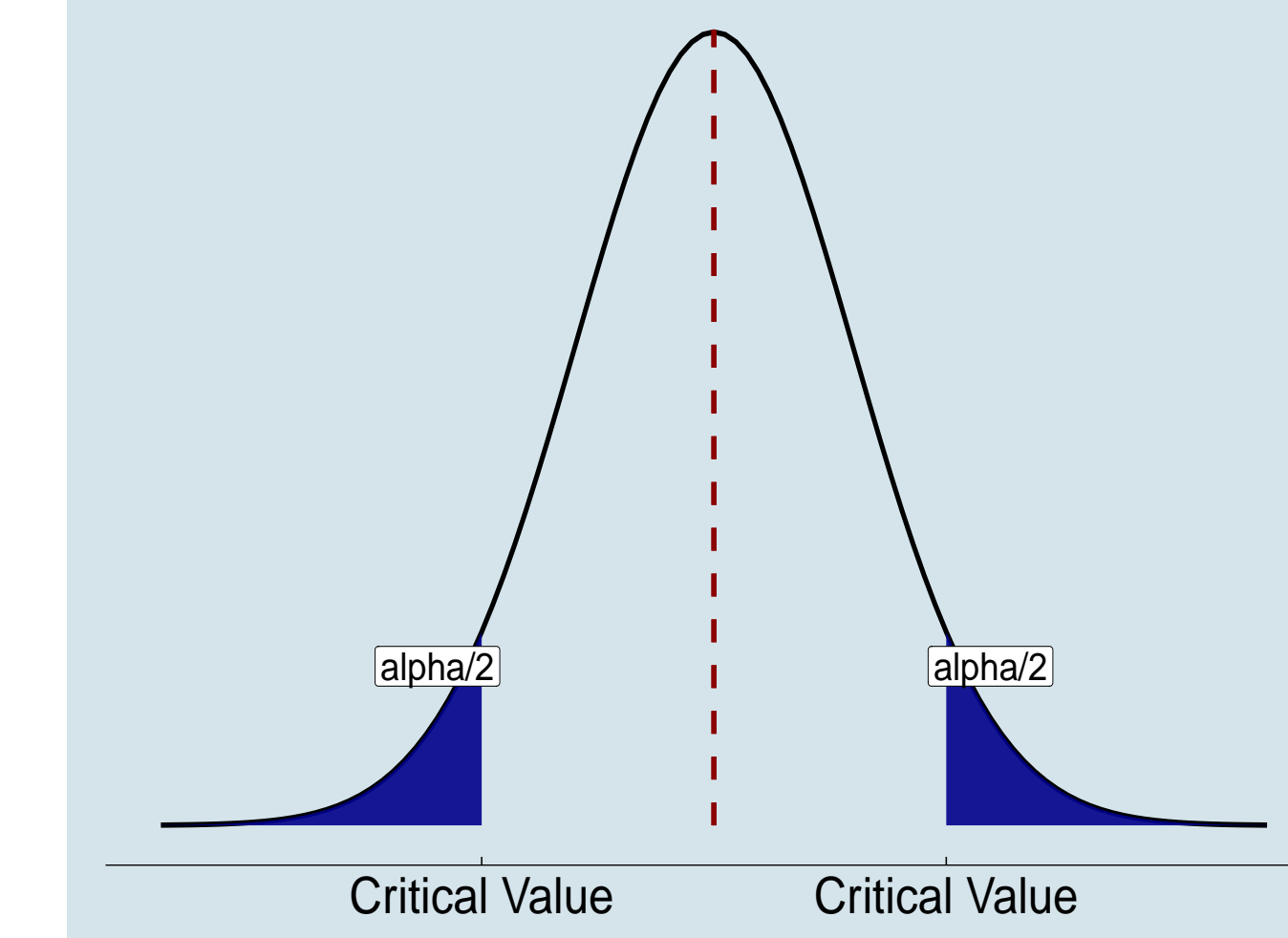
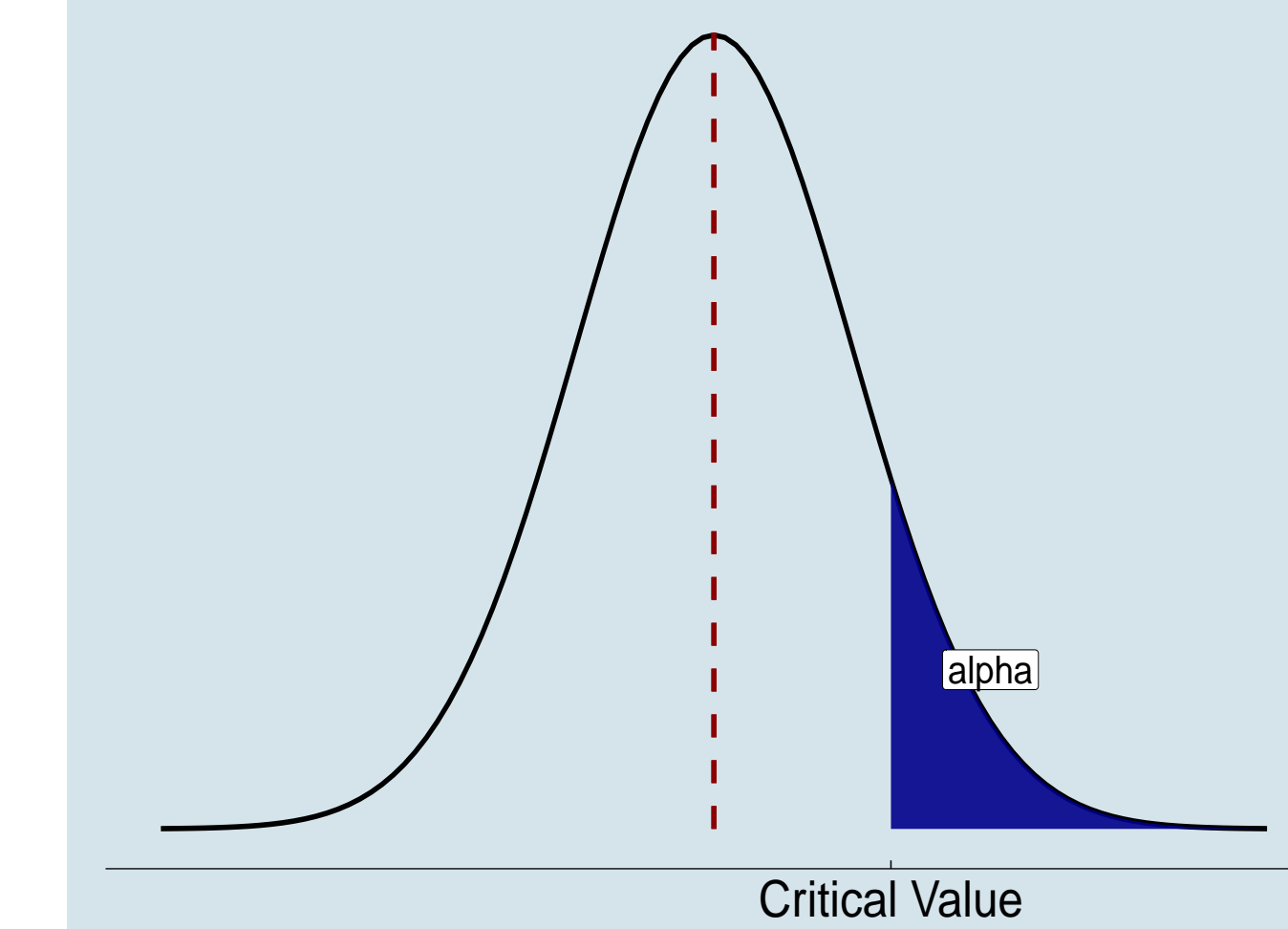
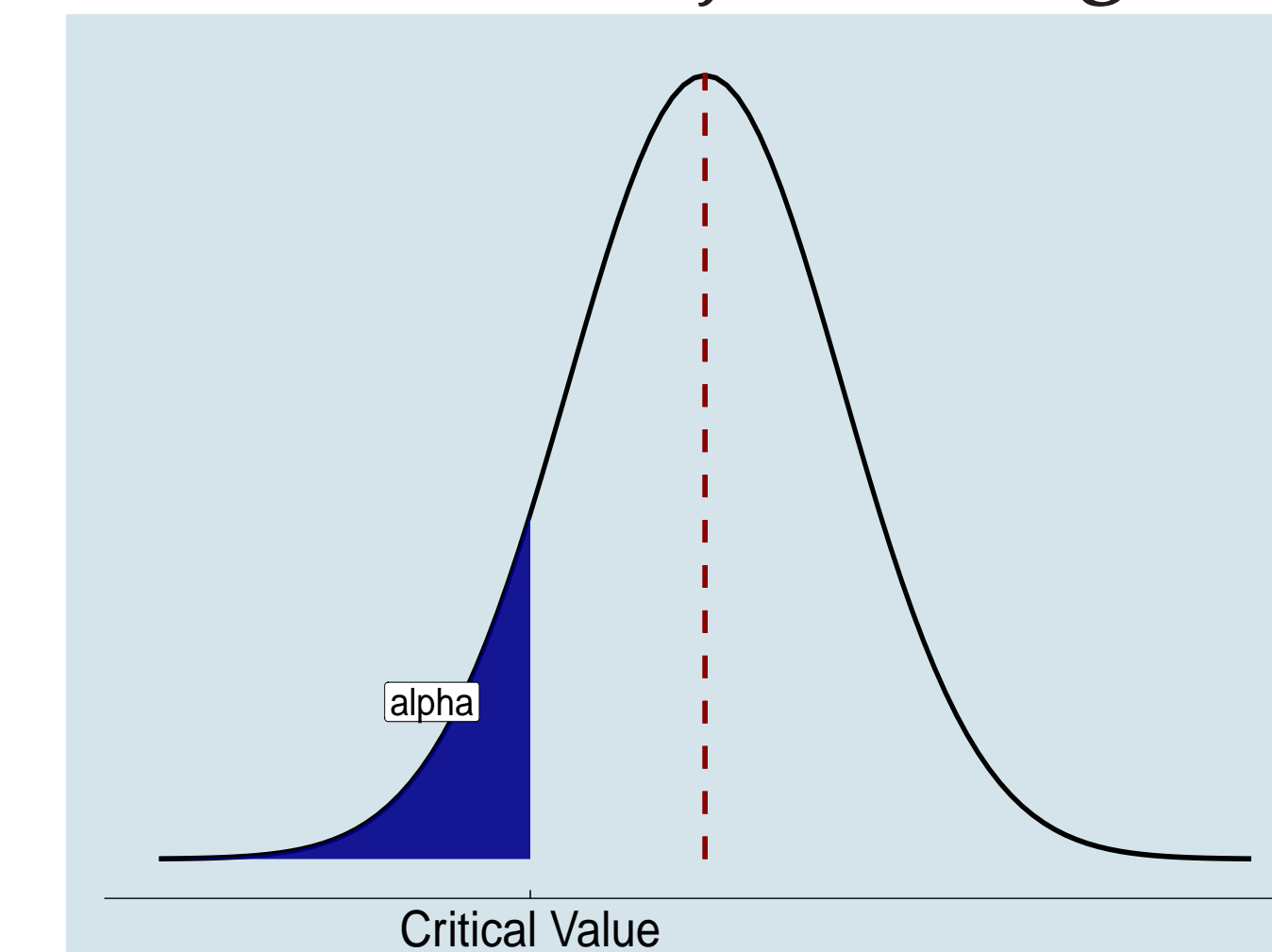
You want the area to the **left** of your test statistic.  
If your  $t$  is negative, use  $\text{TDIST}(-t, df, 1)$ .  
If your  $t$  is positive, use  $1 - \text{TDIST}(t, df, 1)$ .

You want the area to the **right** of your test statistic.  
If your  $t$  is negative, use  $1 - \text{TDIST}(-t, df, 1)$ .  
If your  $t$  is positive, use  $\text{TDIST}(t, df, 1)$ .

If the test statistic is **negative**, use  $\text{TDIST}(-t, df, 2)$

If the test statistic is **positive**, use  $\text{TDIST}(t, df, 2)$

#### Where is the rejection region?



#### How to get $t_c$ ?

$$\text{Critical Value} = -\text{TINV}(2 * \alpha, df)$$

$$\text{Critical Value} = \text{TINV}(2 * \alpha, df)$$

$$\text{Negative Critical Value (left)} = -\text{TINV}(\alpha, df)$$

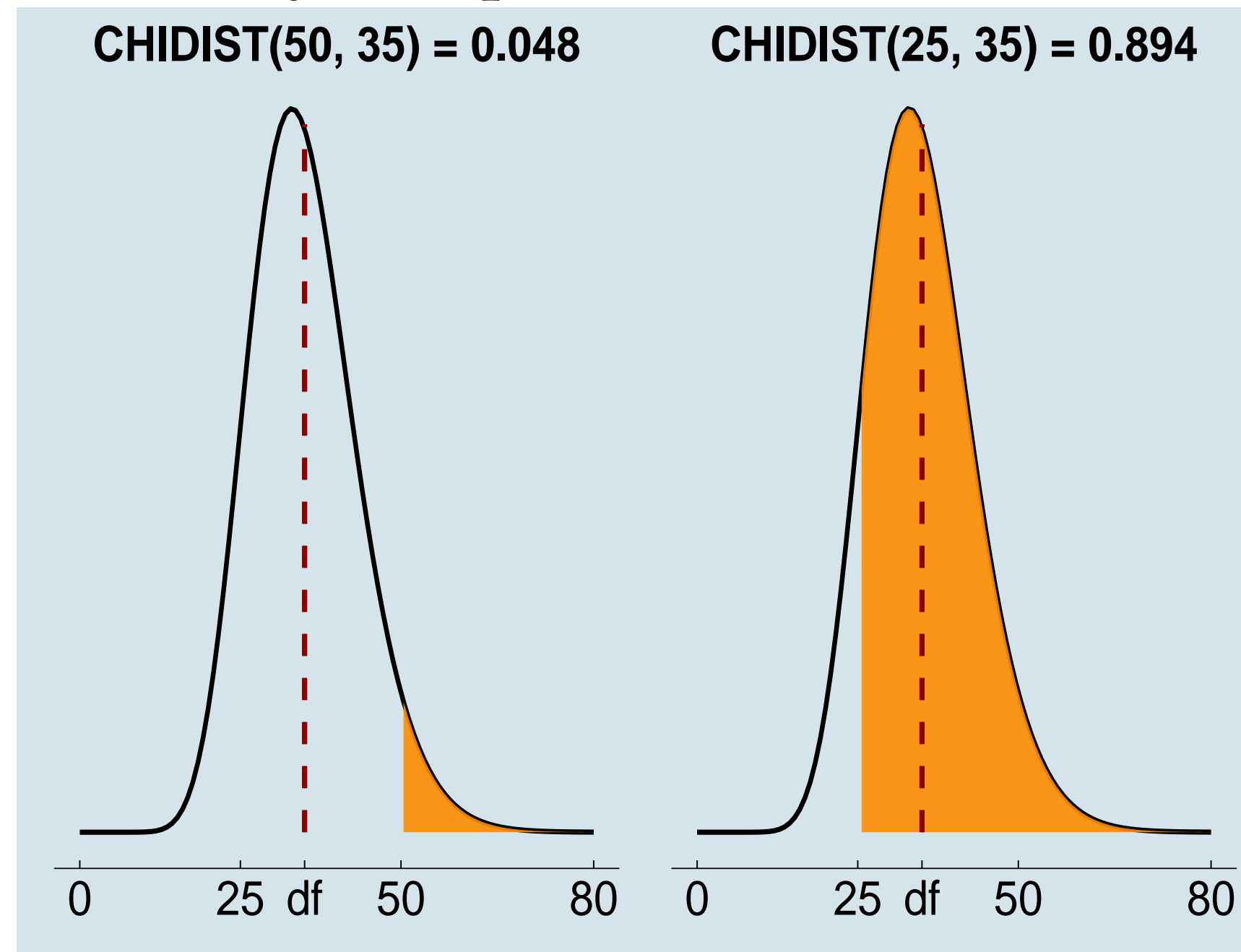
$$\text{Positive Critical Value (right)} = \text{TINV}(\alpha, df)$$



# $\chi^2$ DISTRIBUTION

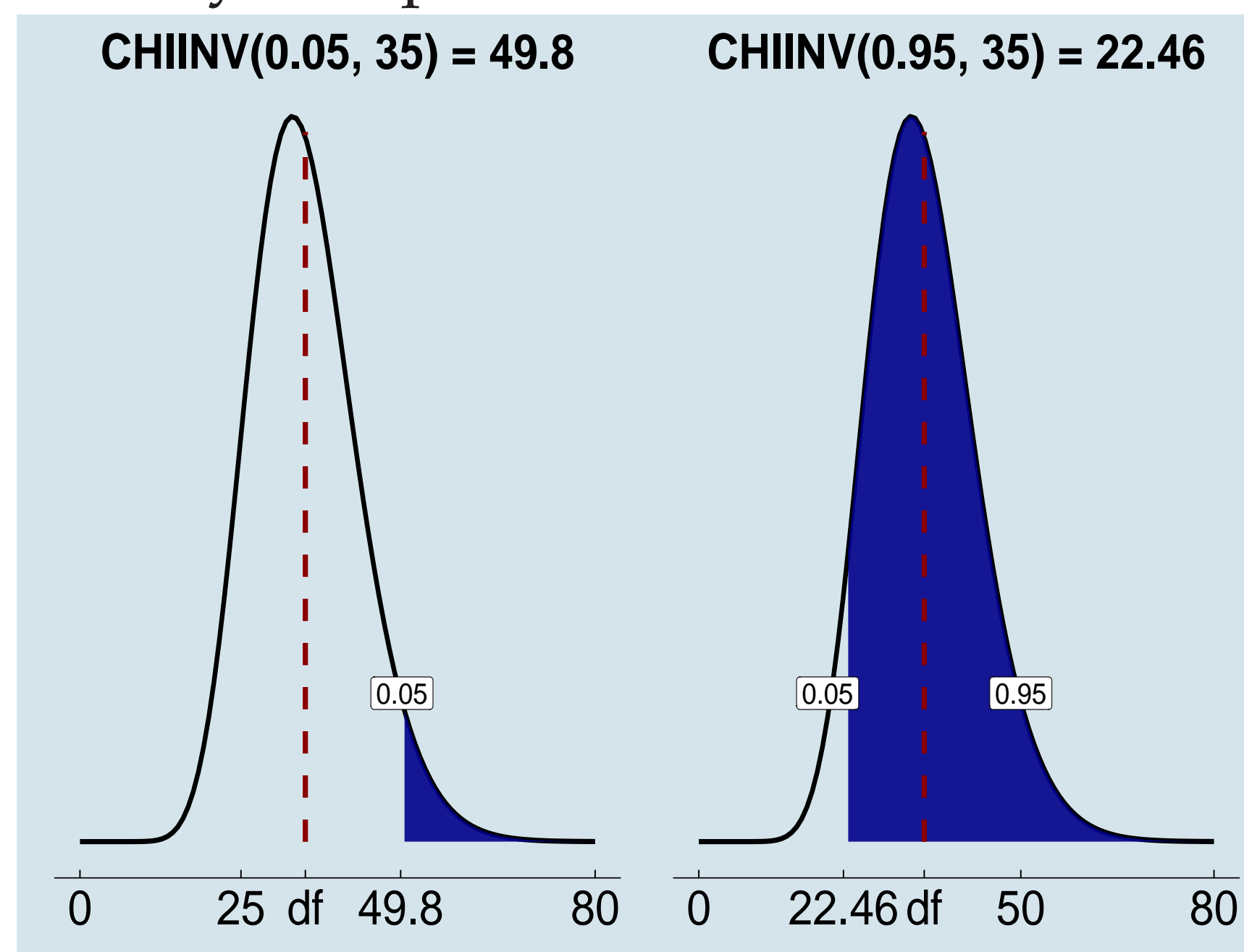
- It does not contain negative values
- General shape is skewed to right
- The number of degrees of freedom is an approximation of the center
- CHIDIST for pvalues

CHIDIST returns the **right-tailed probability** of the chi-squared distribution based on your test statistic and degrees of freedom you input.



- CHIINV for critical values

CHIINV returns the critical value of the chi-squared distribution based on the **right-tail probability** and degrees of freedom you input.



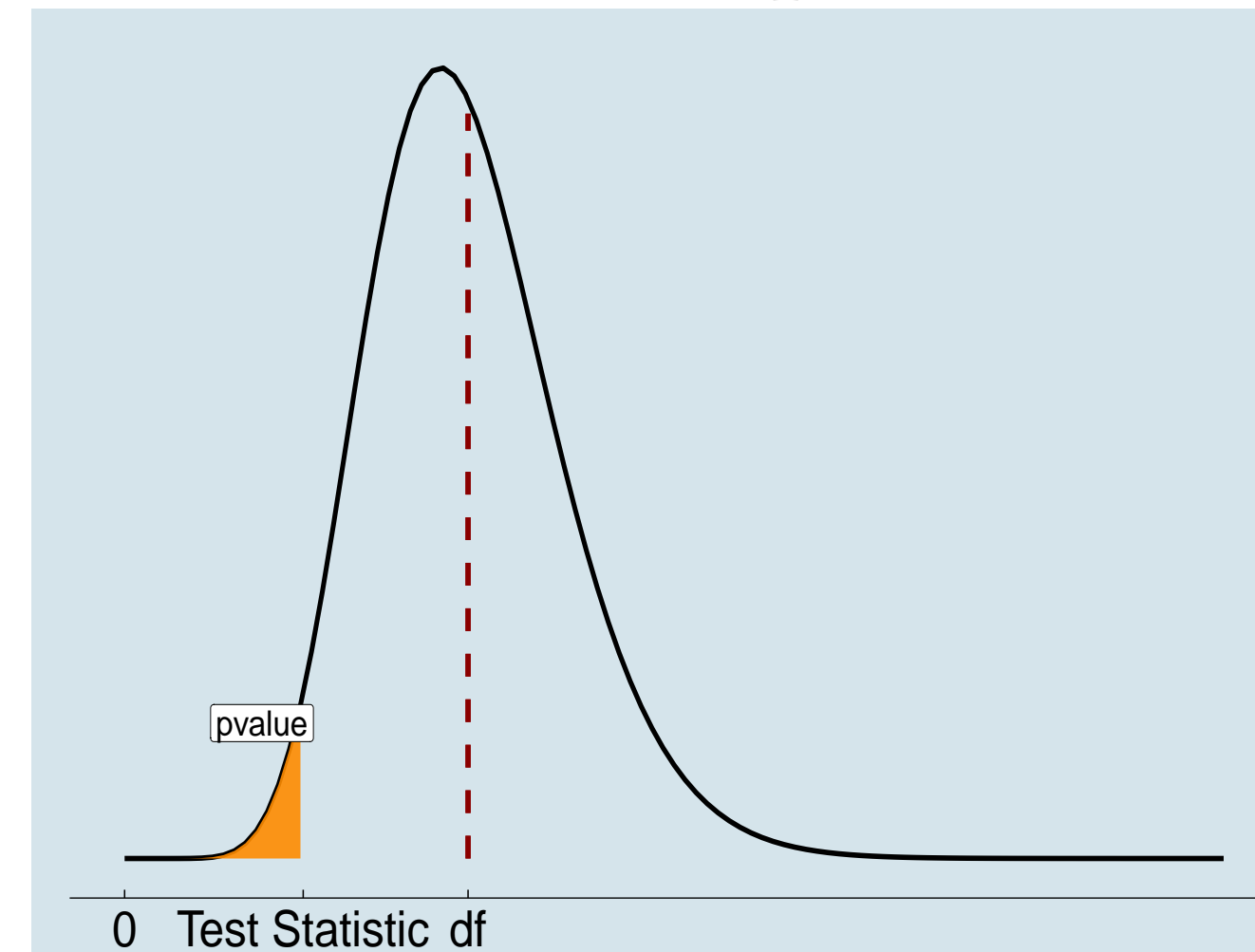
# HYPOTHESIS TESTING

## Using CHIDIST and CHIINV

### Alternative Hypothesis

$$H_a : \sigma^2 < \dots$$

### Where is the pvalue?



### How to get the pvalue?

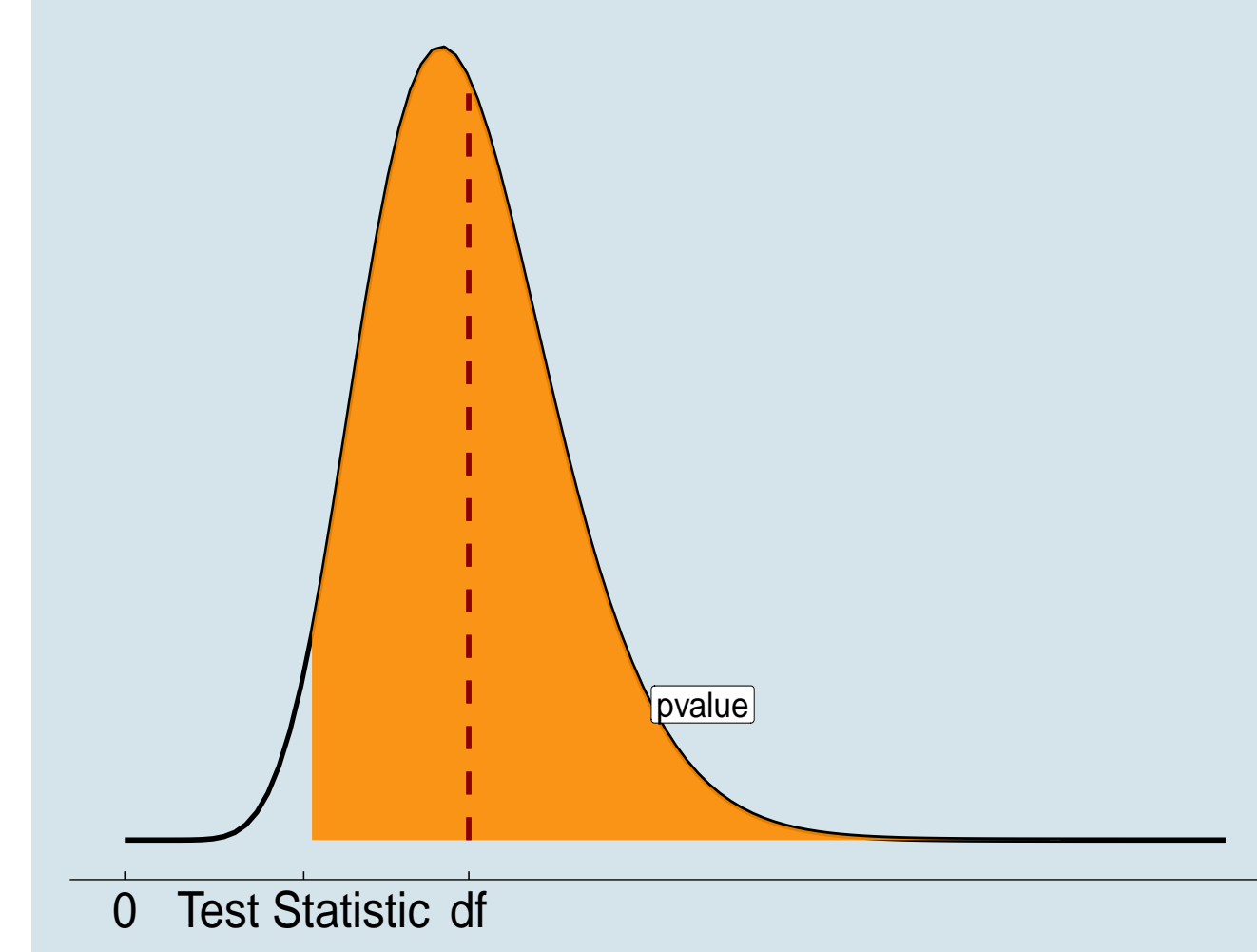
You want the area to the **left** of your test statistic. Therefore, use  $1-\text{CHIDIST}(\chi^2, df)$

### Where is the rejection region?

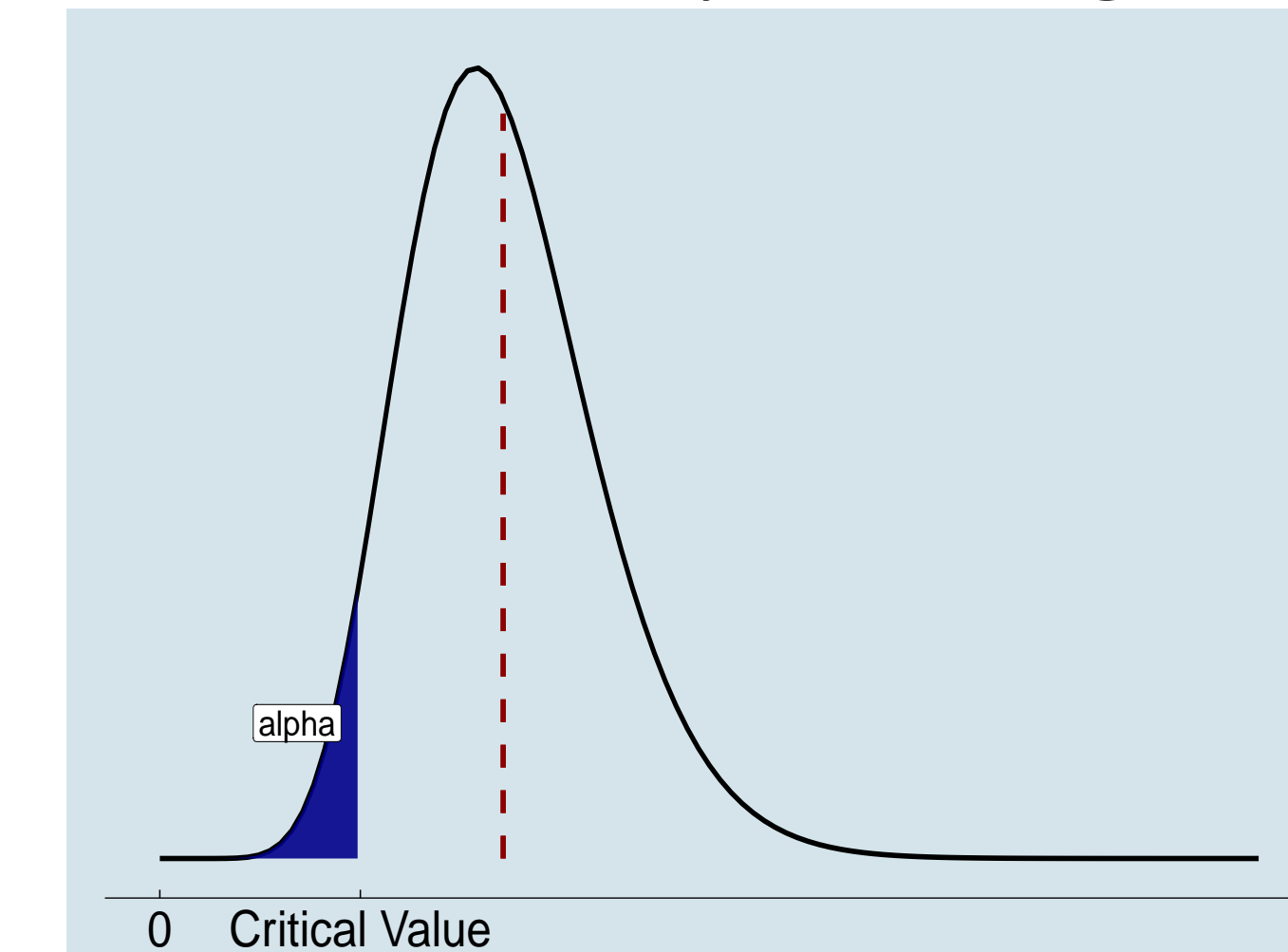
### How to get $\chi_c^2$ ?

$$\text{Critical Value} = \text{CHIINV}(1 - \alpha, df)$$

$$H_a : \sigma^2 > \dots$$

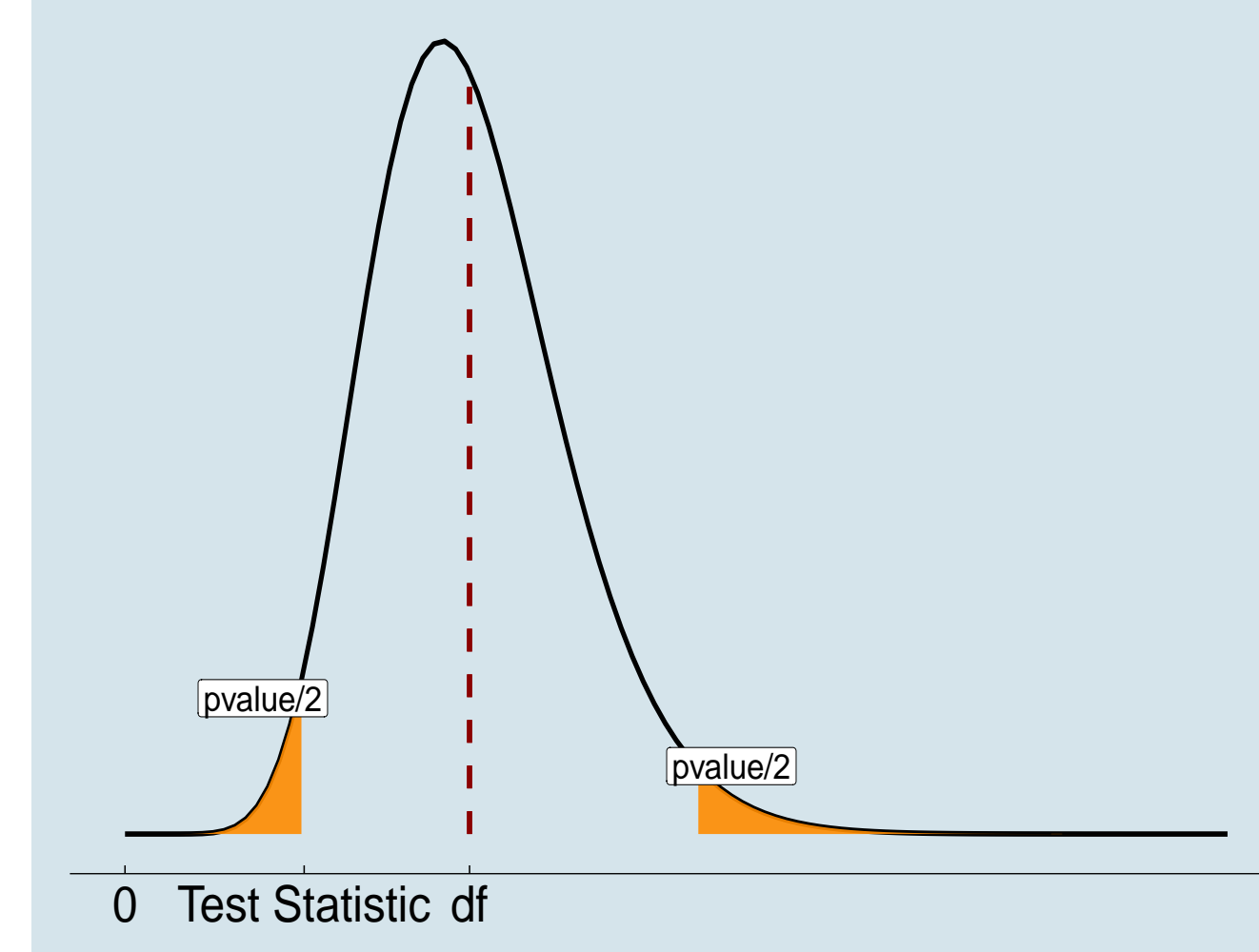


You want the area to the **right** of your test statistic. Therefore, use  $\text{CHIDIST}(\chi^2, df)$



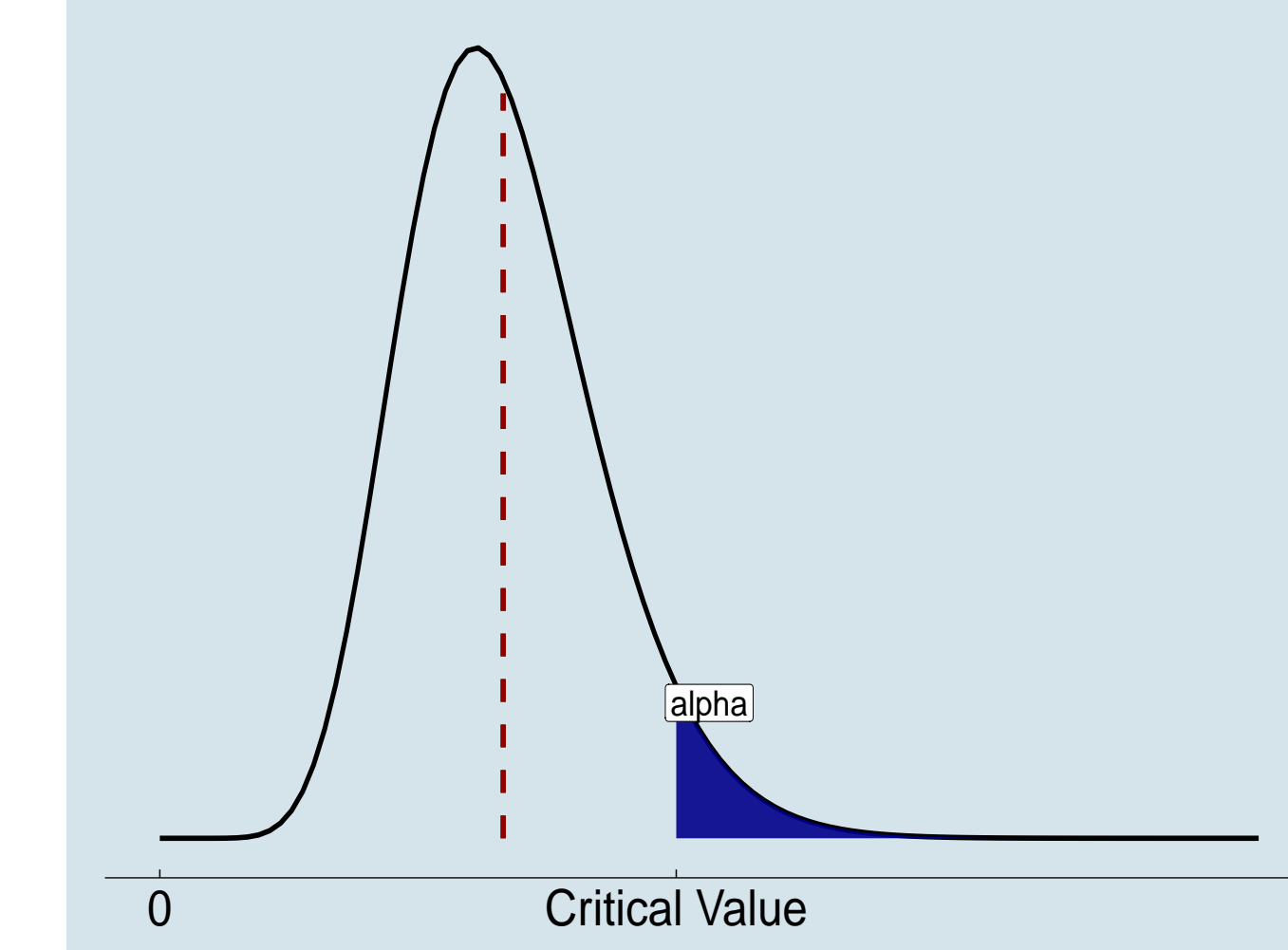
$$\text{Critical Value} = \text{CHIINV}(\alpha, df)$$

$$H_a : \sigma^2 \neq \dots$$



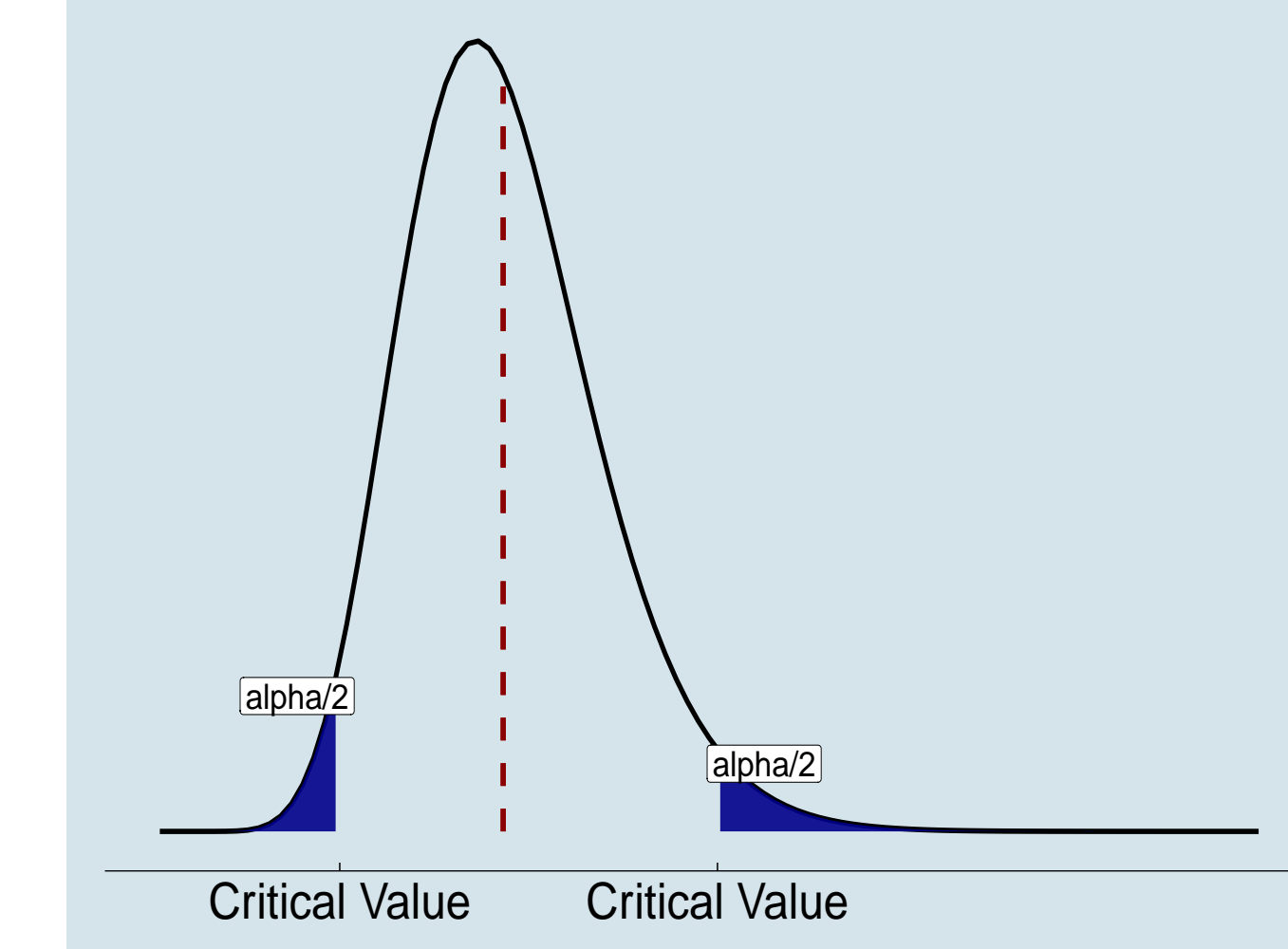
If the test statistic is **less than**  $df$ , use  $2*(1-\text{CHIDIST}(\chi^2, df))$

If the test statistic is **greater than**  $df$ , use  $2*\text{CHIDIST}(\chi^2, df)$



$$\text{Left Critical Value} = \text{CHIINV}\left(1 - \frac{\alpha}{2}, df\right)$$

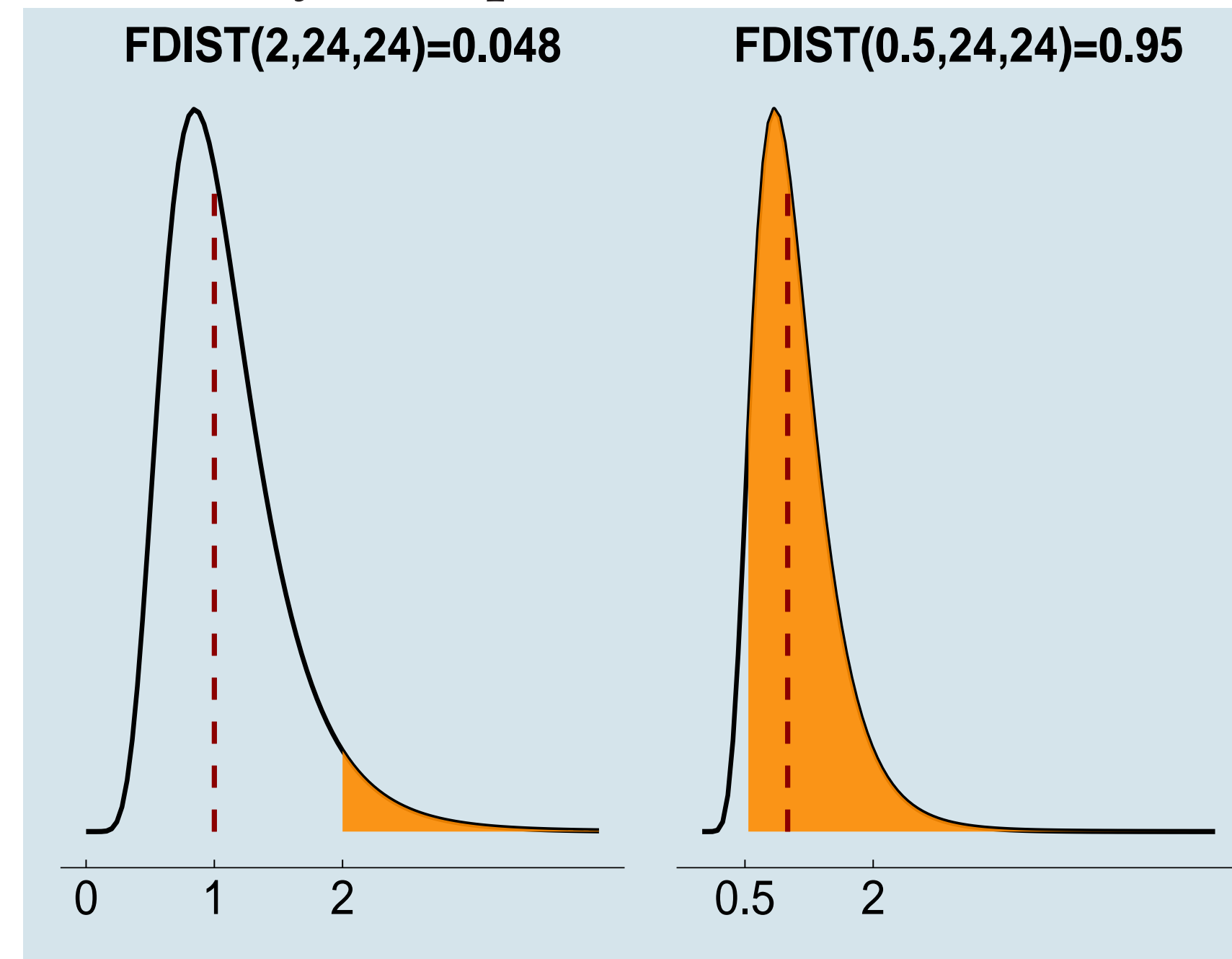
$$\text{Right Critical Value} = \text{CHIINV}\left(\frac{\alpha}{2}, df\right)$$



## F DISTRIBUTION

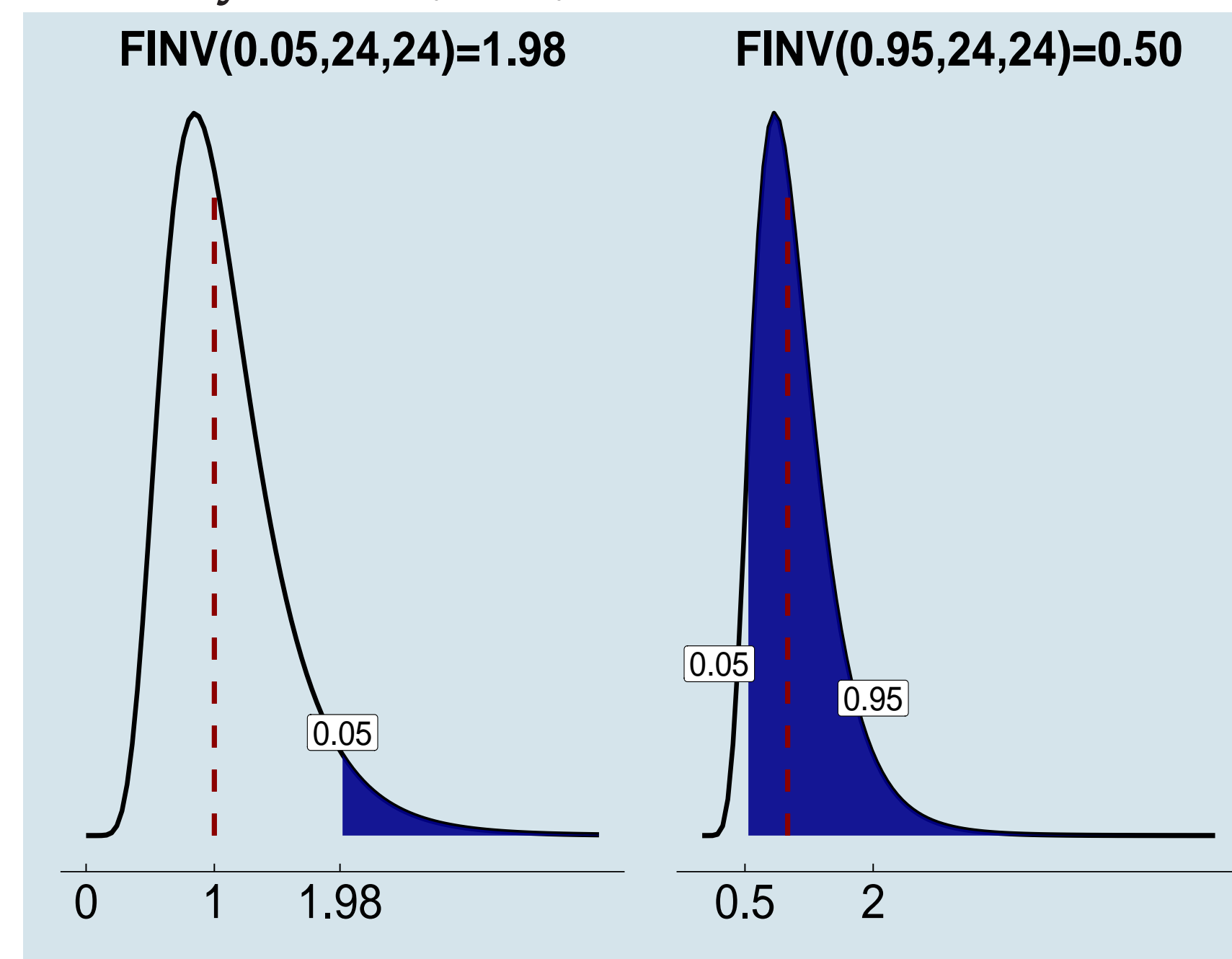
- It does not contain negative values
- General shape is skewed to right
- 1 is an approximation of the center
- FDIST for pvalues

FDIST returns the **right-tailed probability** of the F distribution based on the test statistic and two degrees of freedom ( $df_1, df_2$ ) you input.



- FINV for critical values

FINV returns the critical value from the F distribution based on the right tail probability and  $df_1, df_2$ .



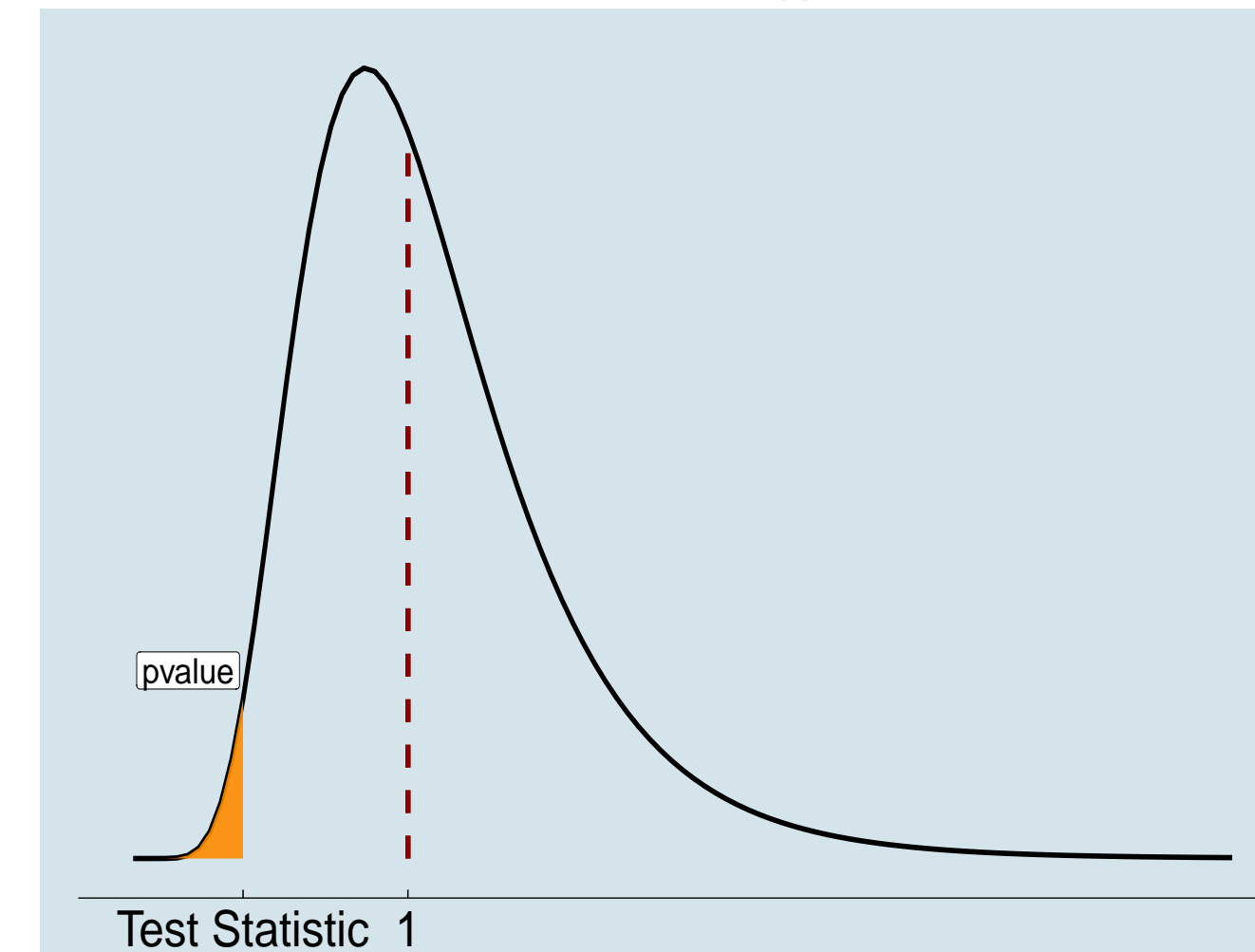
## HYPOTHESIS TESTING

### Using FDIST and FINV

#### Alternative Hypothesis

$$H_a : \frac{\sigma_1^2}{\sigma_2^2} < \dots$$

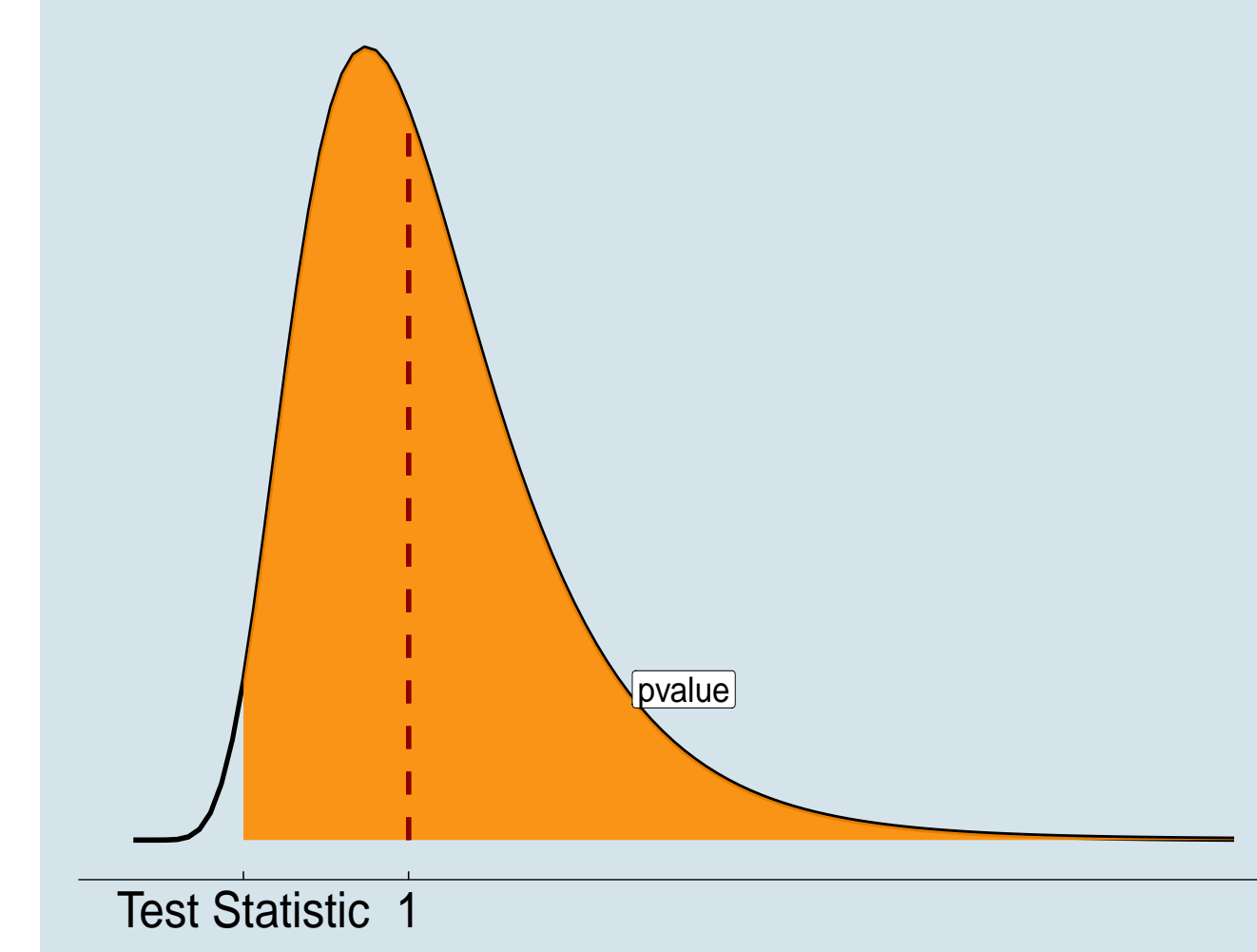
#### Where is the pvalue?



#### How to get the pvalue?

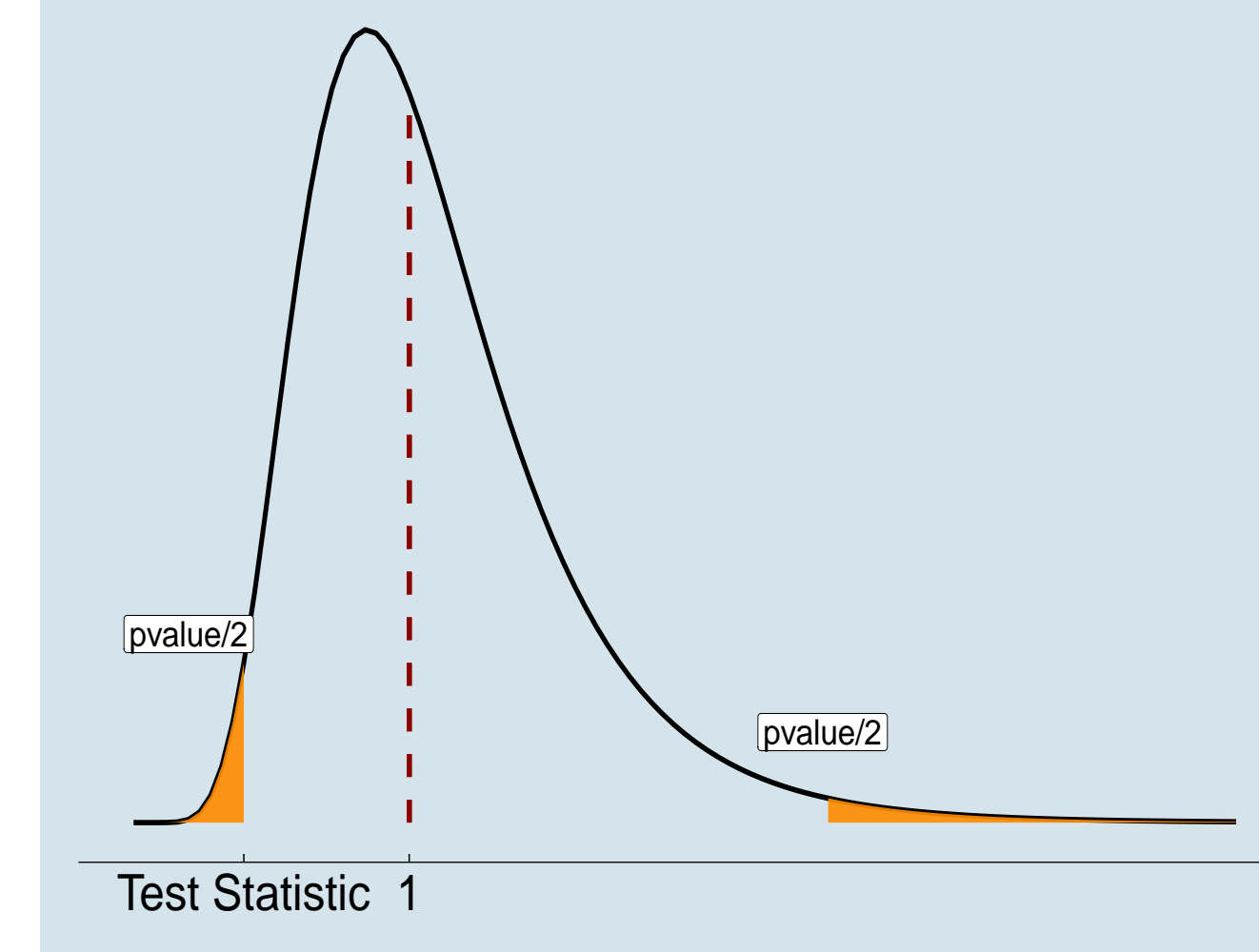
You want the area to the **left** of your test statistic.  
Therefore, use  $1 - \text{FDIST}(F, df_1, df_2)$

$$H_a : \frac{\sigma_1^2}{\sigma_2^2} > \dots$$



You want the area to the **right** of your test statistic.  
Therefore, use  $\text{FDIST}(F, df_1, df_2)$

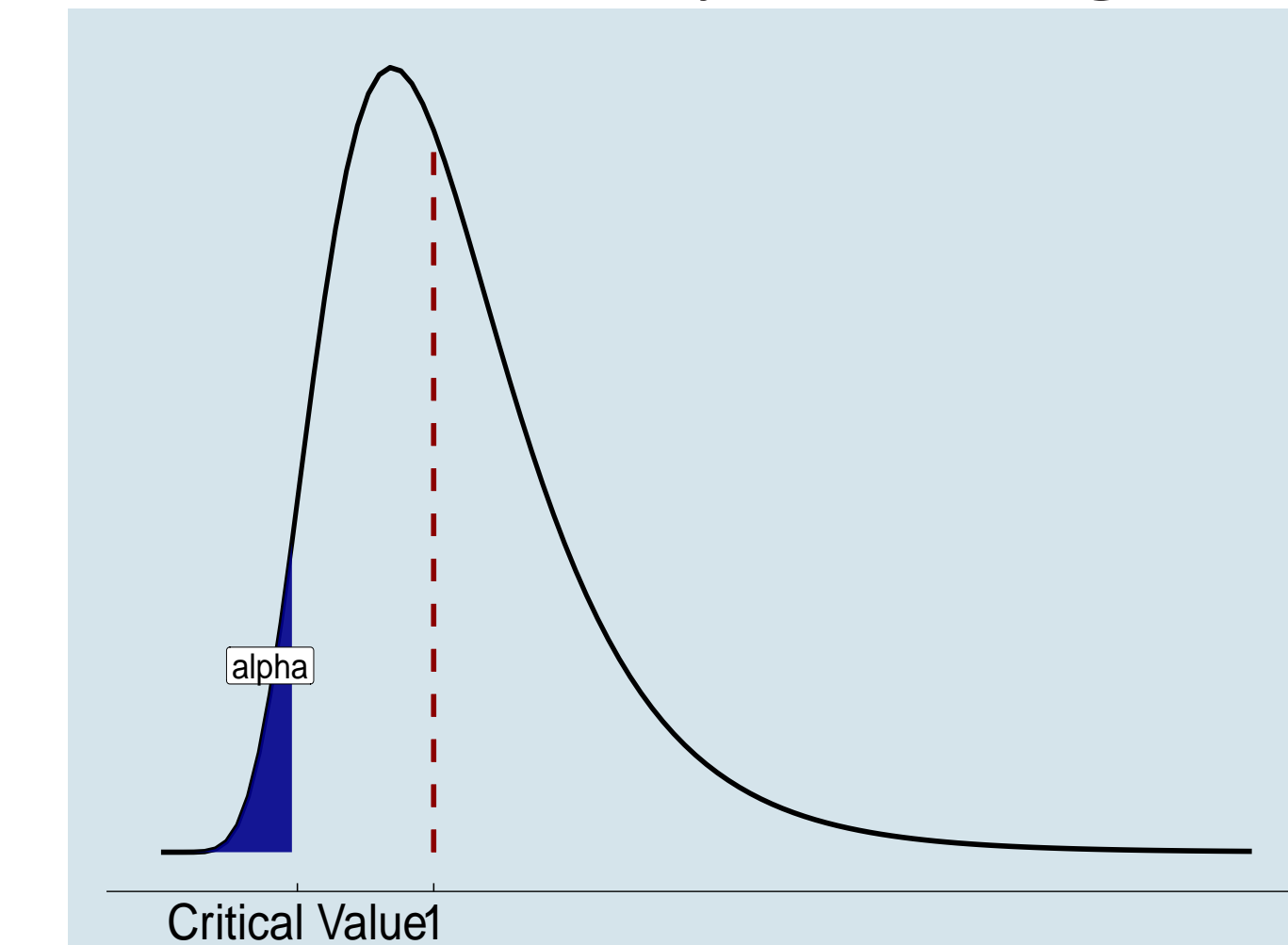
$$H_a : \frac{\sigma_1^2}{\sigma_2^2} \neq \dots$$



If the test statistic is **less than 1**, use  $2 * (1 - \text{FDIST}(F, df_1, df_2))$

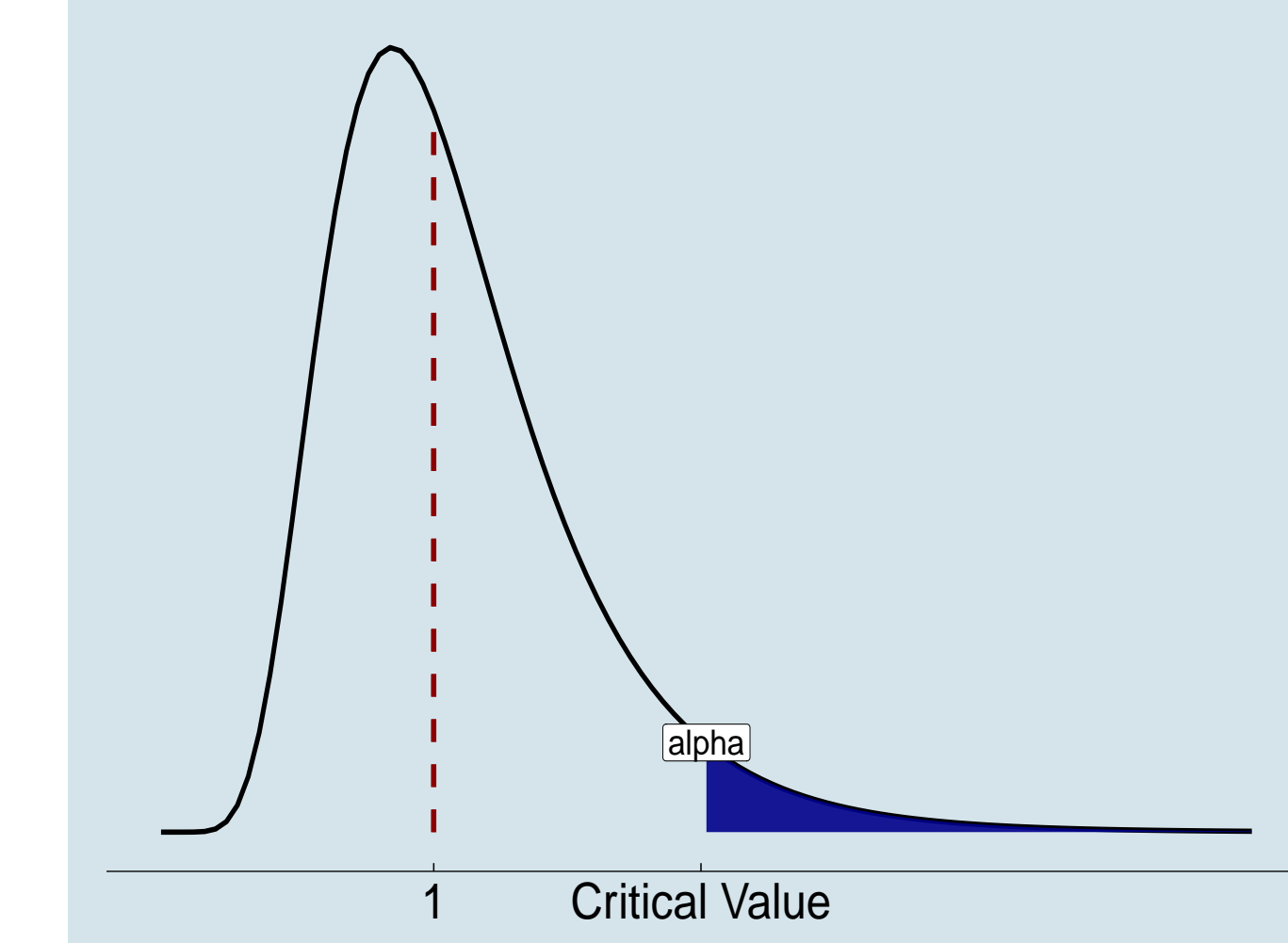
If the test statistic is **greater than 1**, use  $2 * \text{FDIST}(F, df_1, df_2)$

#### Where is the rejection region?

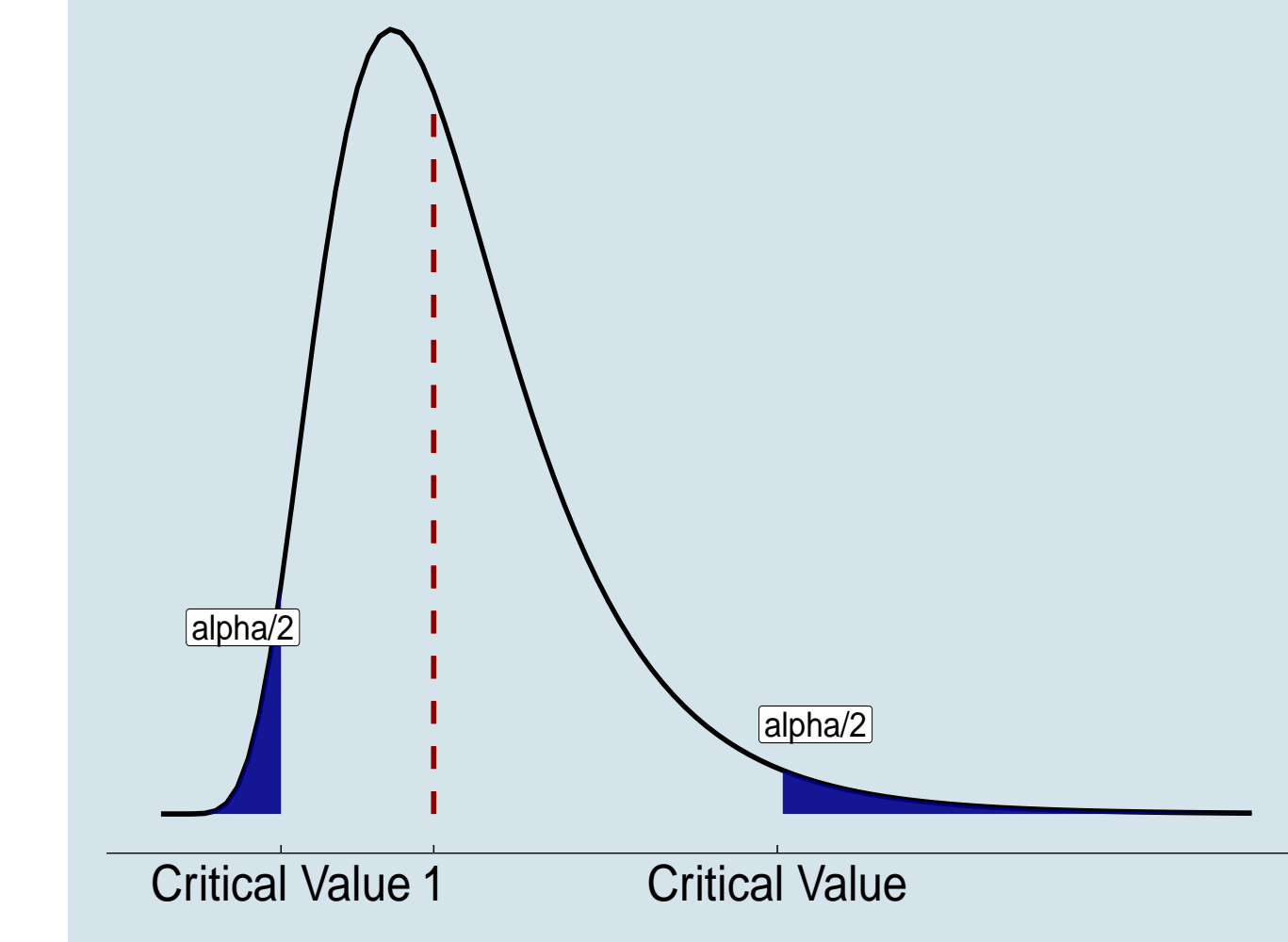


#### How to get $F_c$ ?

$$\text{Critical Value} = \text{FINV}(1 - \alpha, df_1, df_2)$$



$$\text{Critical Value} = \text{FINV}(\alpha, df_1, df_2)$$



$$\text{Left Critical Value} = \text{FINV}\left(1 - \frac{\alpha}{2}, df_1, df_2\right)$$

$$\text{Right Critical Value} = \text{FINV}\left(\frac{\alpha}{2}, df_1, df_2\right)$$